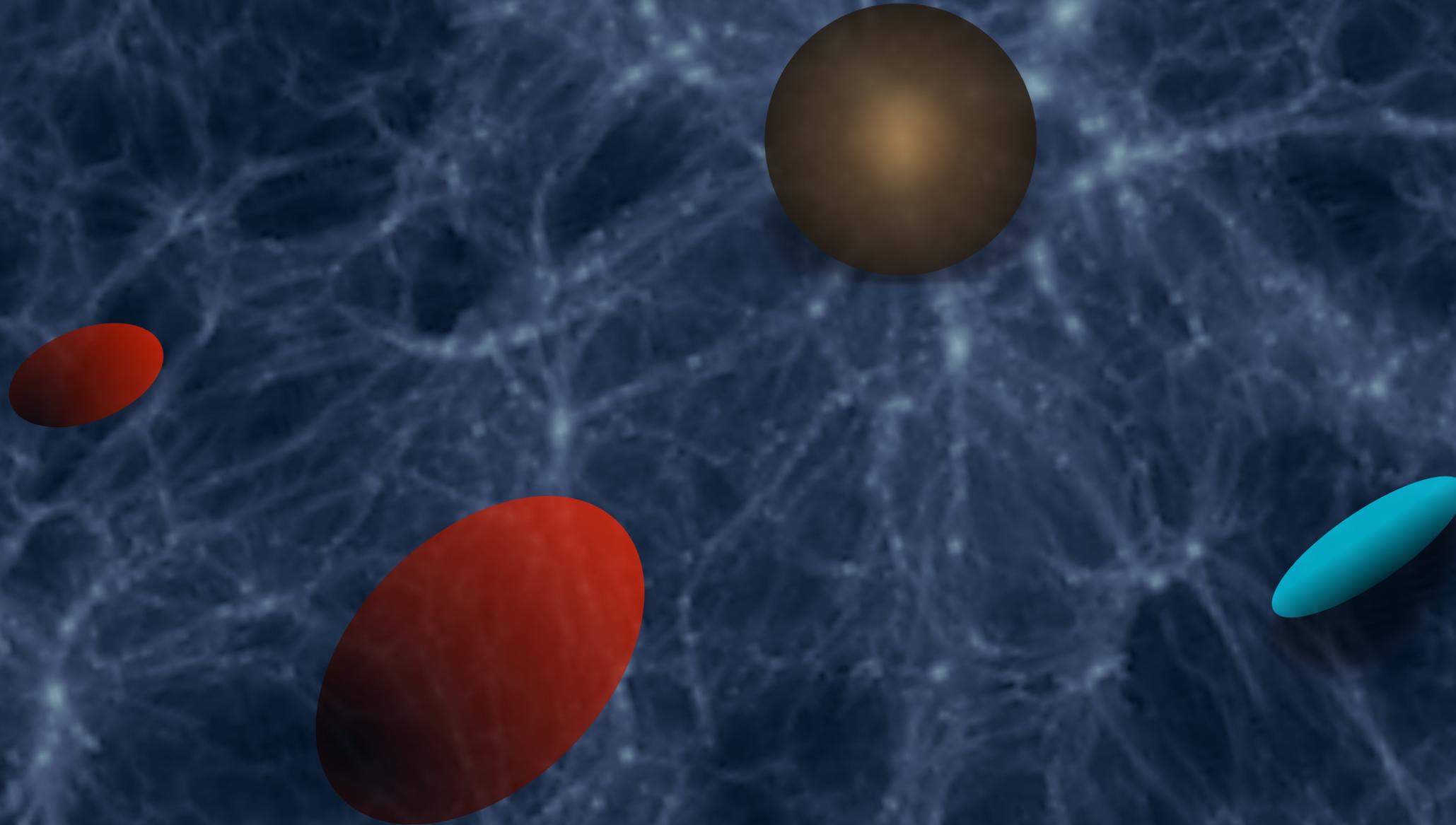


# Systematic errors in weak lensing surveys and the utility of random galaxy catalogues



Dr. Harry Johnston, Universiteit Utrecht, University College London

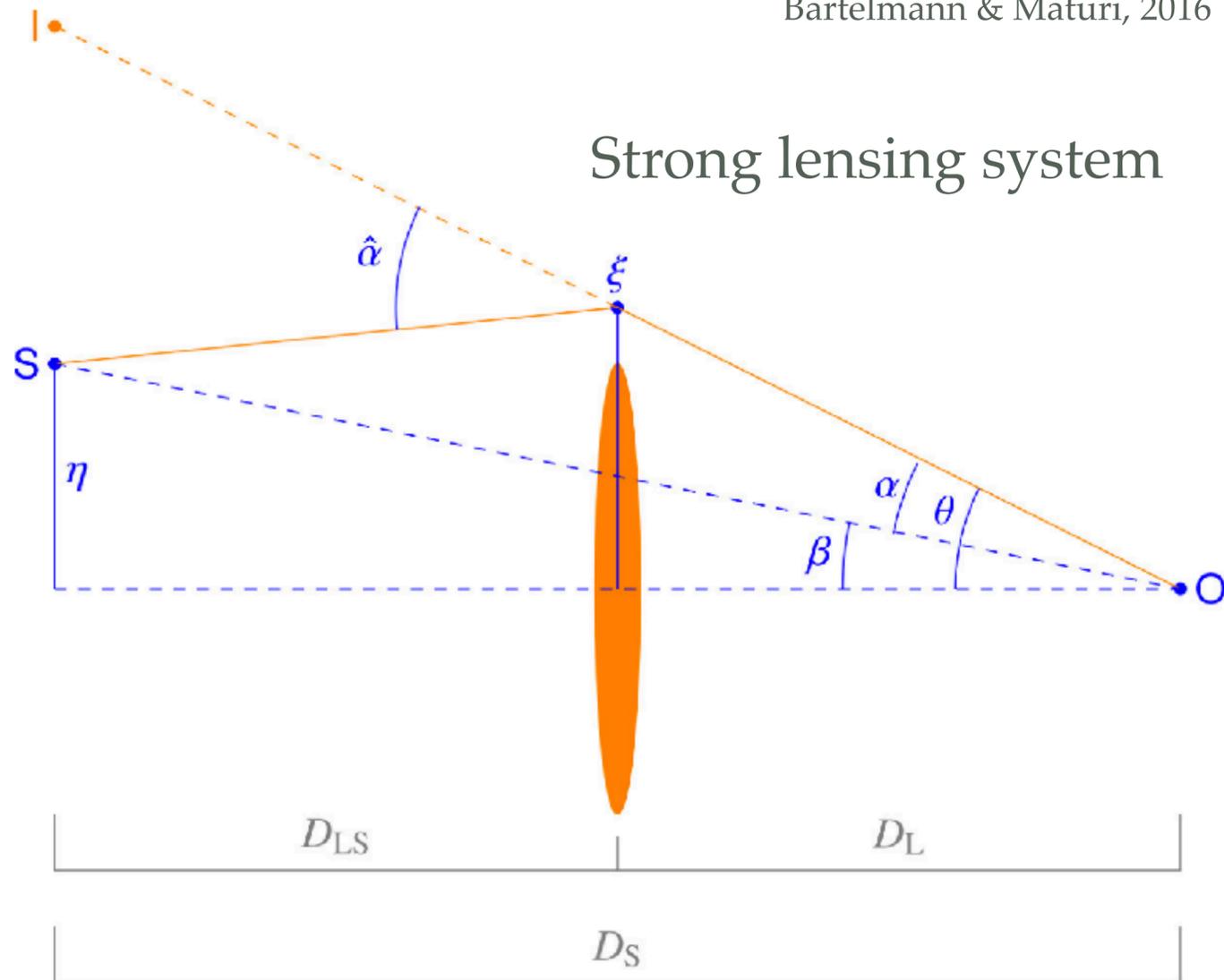
# Outline

- Weak gravitational lensing
- Galaxy intrinsic alignments (IA)
- Direct measurements and modelling of IA
- Photo- $z$  randoms
- Self-calibration with 3(+) $\times$ 2-point analyses
- Correcting clustering biases with Organised Randoms

# Weak Cosmological Lensing – ‘Cosmic Shear’

Bartelmann & Maturi, 2016

Strong lensing system



$$C_{\kappa}(\ell) = \frac{9H_0^4}{4c^4} \Omega_{m,0}^2 \sigma_8^2 \int_0^{\chi_s} d\chi \left( \frac{\chi(\chi_s - \chi)}{\chi_s} \right)^2 P_{\delta} \left( \frac{\ell}{\chi}, \chi \right)$$

Weak lensing in action

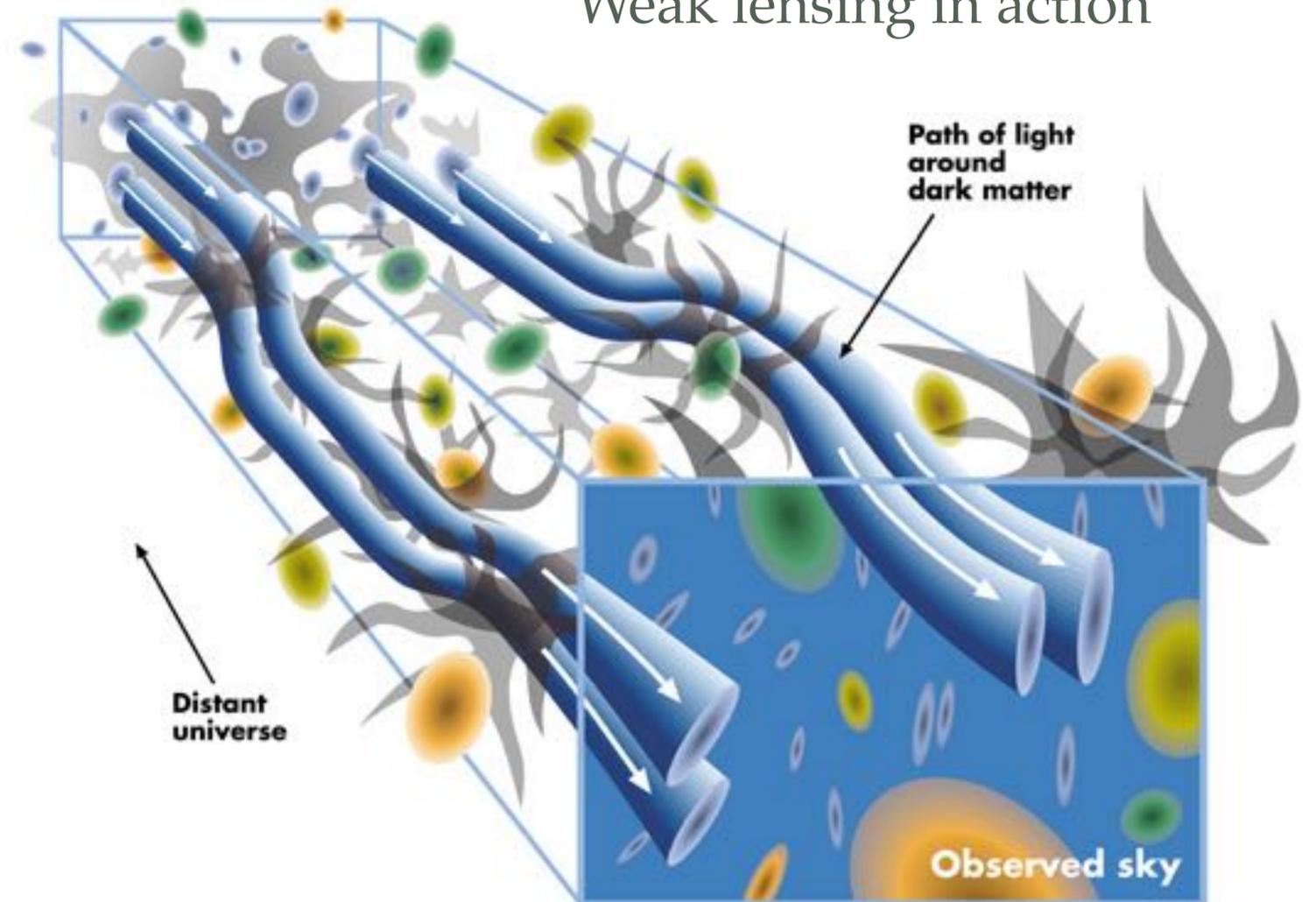
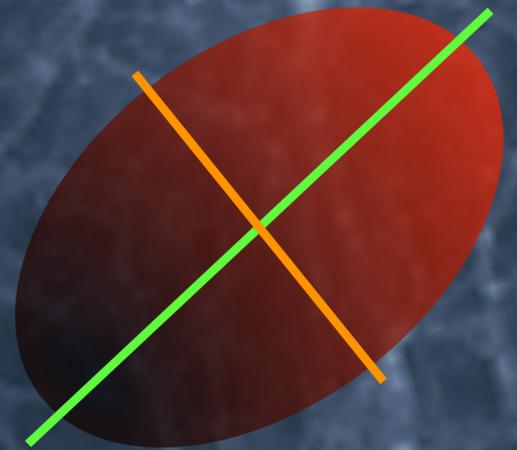
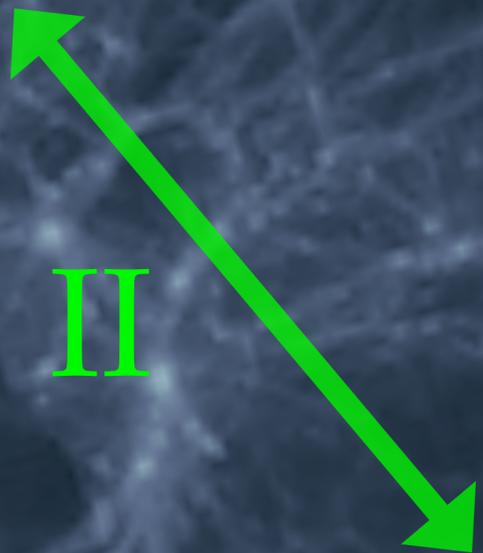
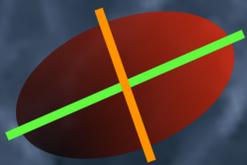


Image courtesy of Bell Labs/Lucent

- Cosmic shear must tackle challenges wrt shape, redshift & covariance estimation, noise, systematics...

# Intrinsic Alignments

Local galaxies



# LSS



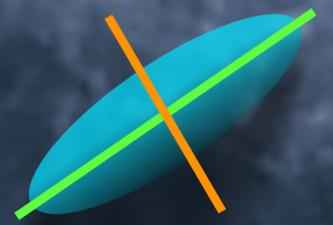
Background sources

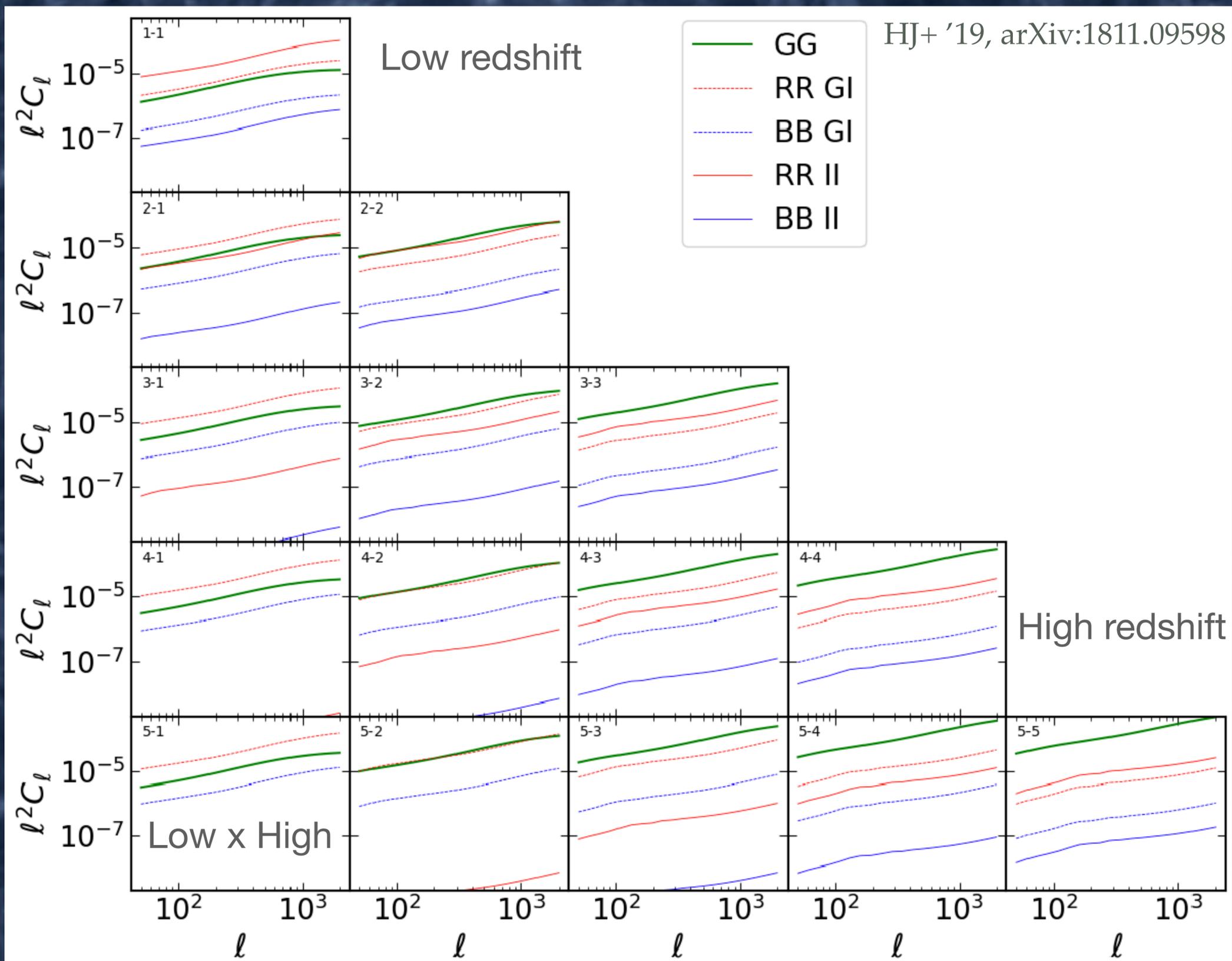


GG



GI



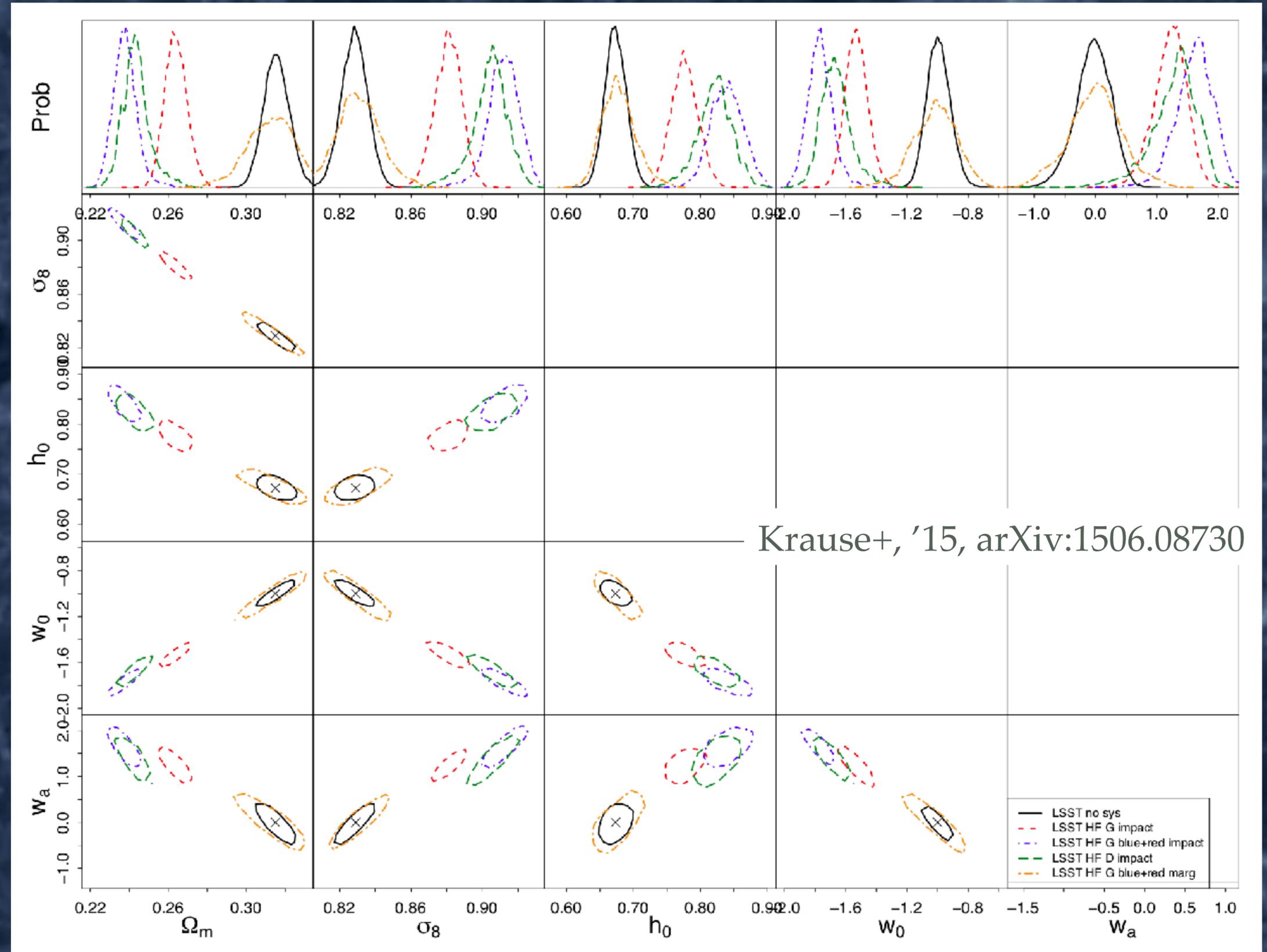


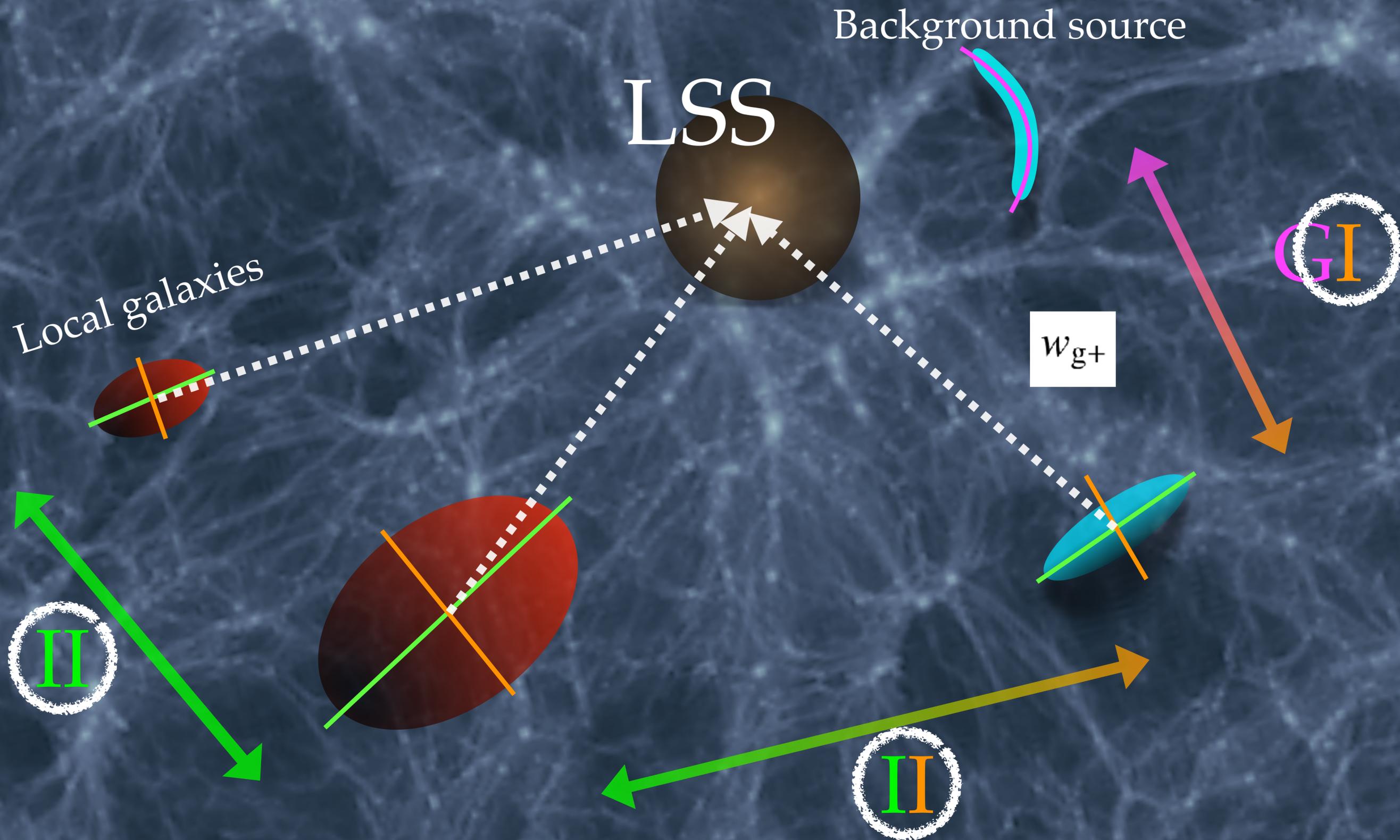
- We are interested in GG
- Intrinsic alignments give other contributions: II, GI
- We know that red/blue galaxies align differently
- What we observe is some weighted linear combination of all contributions

- Ignoring IA will result in large cosmological parameter biases

- We need a descriptive model, and the data/statistics to calibrate it

- Currently most popular is the non-linear alignments (NLA) model — issues with wide priors; lack of complexity; degradation of constraints; limited to linear scales



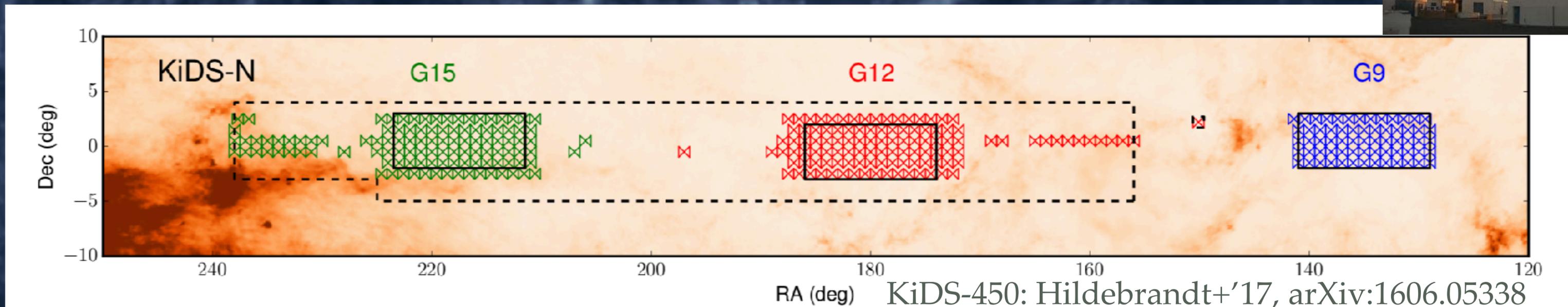


# KiDS — Kilo Degree Survey

KiDS

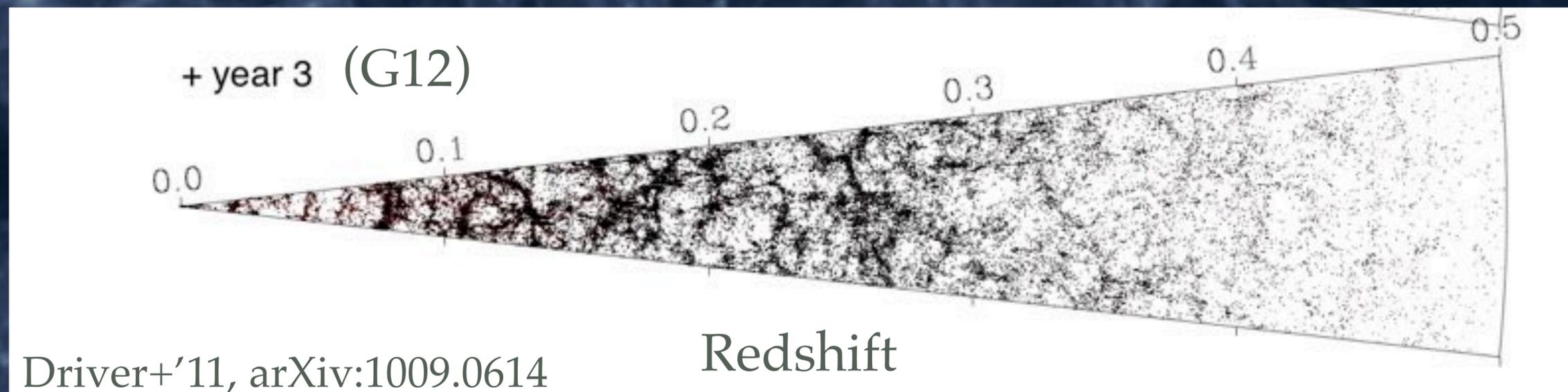


OmegaCAM @ VLT Survey Telescope (VST) — *ugri* imaging — completed 1350deg<sup>2</sup>



# GAMA — Galaxy And Mass Assembly

AAOmega spectrograph @ Anglo-Australian Telescope (AAT) — 98% complete to  $r < 19.8$



$$w_{g+} \propto b_g \int P_{\delta I}(A_{IA}, \beta)$$

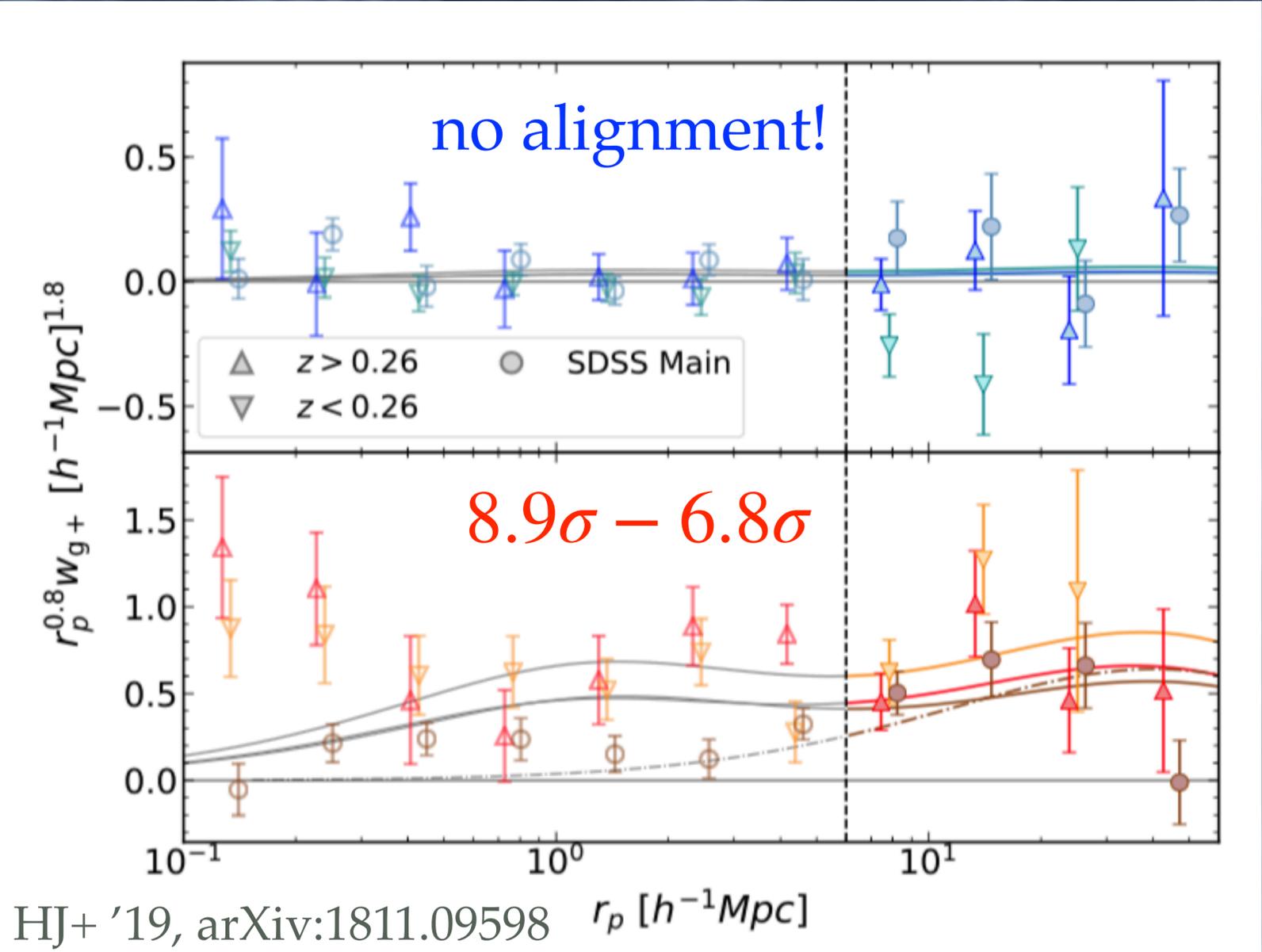
$$w_{gg} \propto b_g^2 \int P_{\delta}$$

N/LA  
model(s)

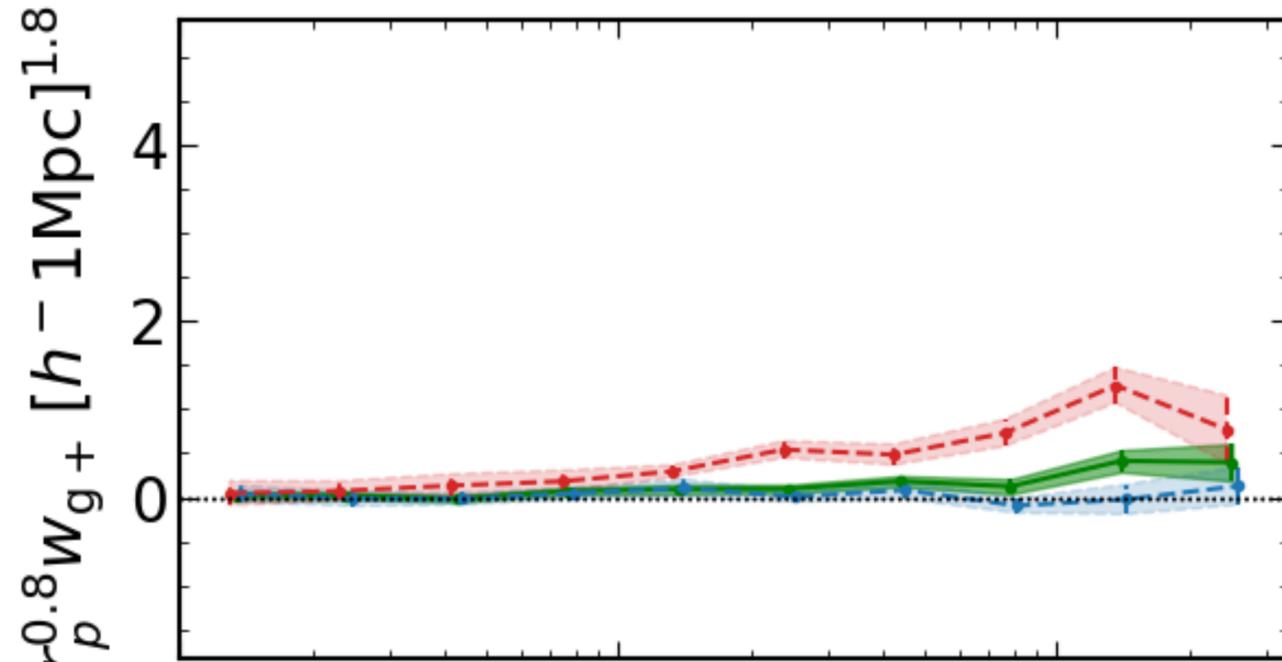
Fixed  $\Lambda$ CDM  
cosmology

$$P_{\delta I}(k, z) = -A_{IA} \cdot \left\langle \frac{L}{L_{\text{piv}}} \right\rangle^{\beta} \cdot C_1 \frac{a^2 \bar{\rho}(z)}{D(z)} P_{\delta}(k, z)$$

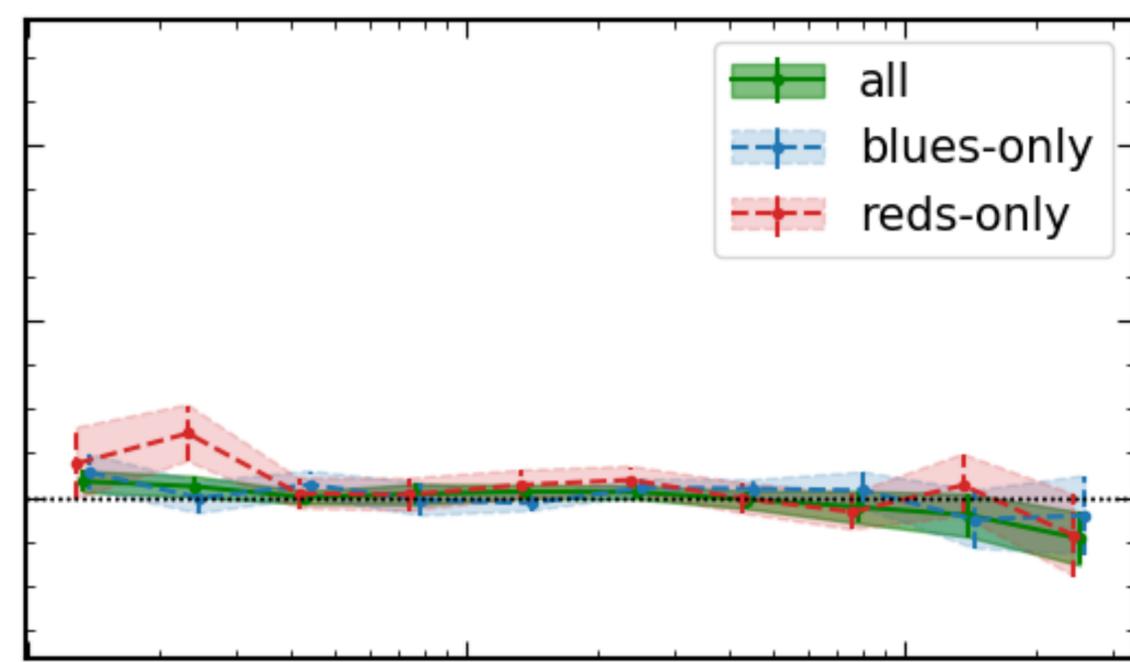
- Blue galaxies (top) unaligned
- Red galaxies (bottom) strongly aligned with structure
- We constrain  $A_{IA}$  (and  $\beta$ ) above 6Mpc/h
- Red signals vary greatly below  $\sim 6$ Mpc/h — **satellite/central galaxies align differently**



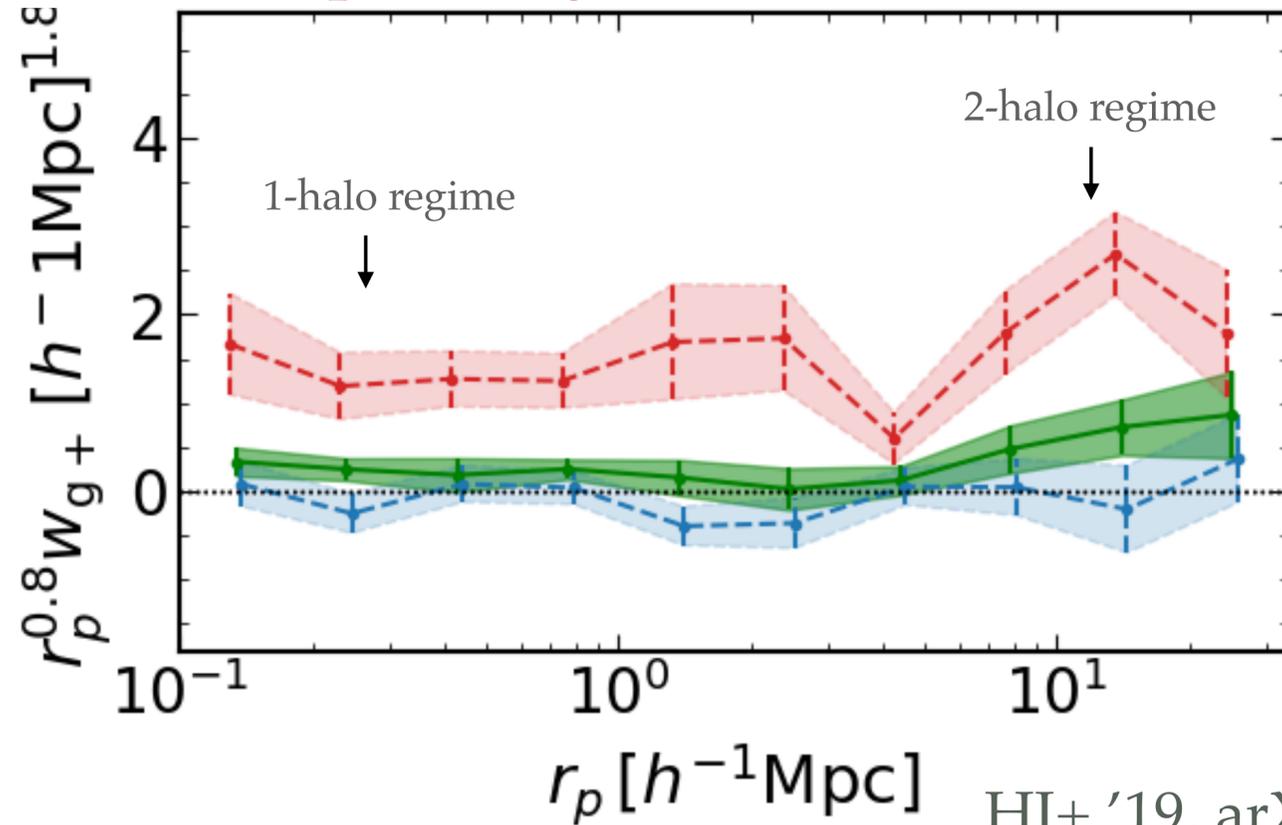
CENTRALS pointing towards CENTRALS



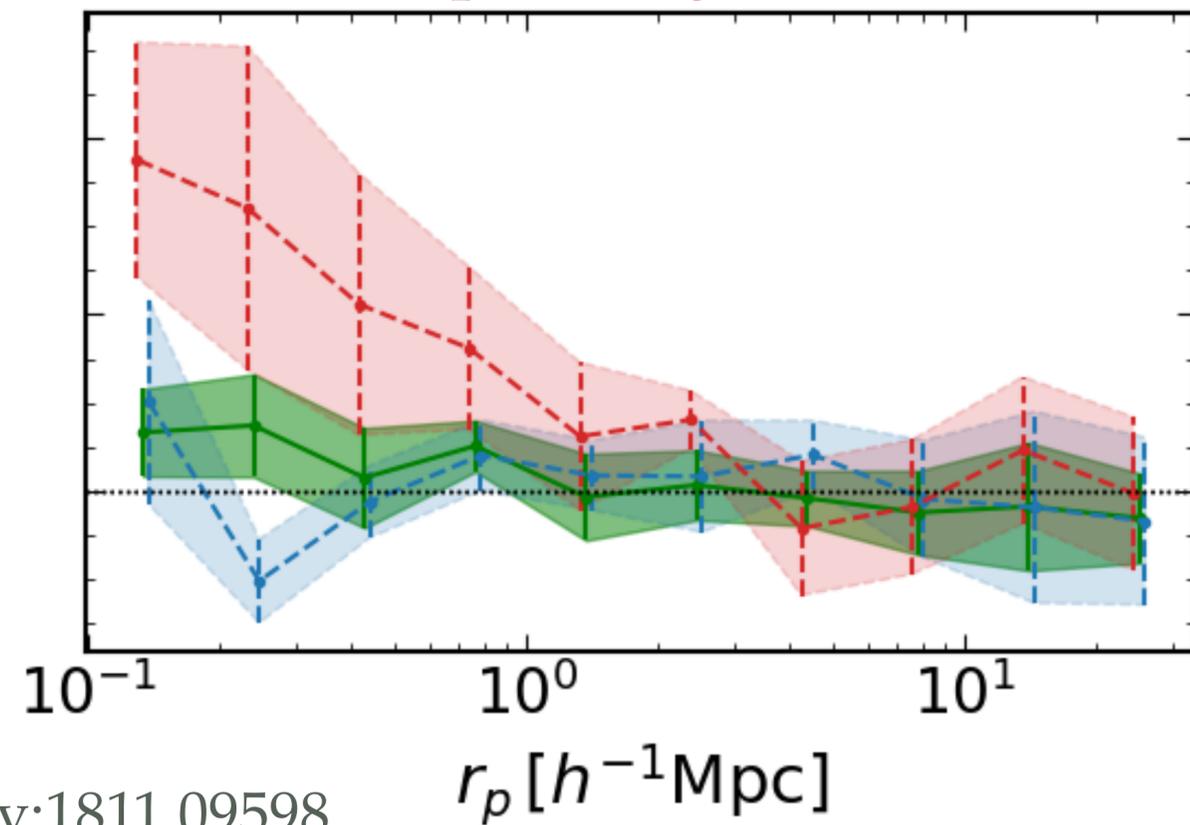
SATELLITES pointing towards CENTRALS



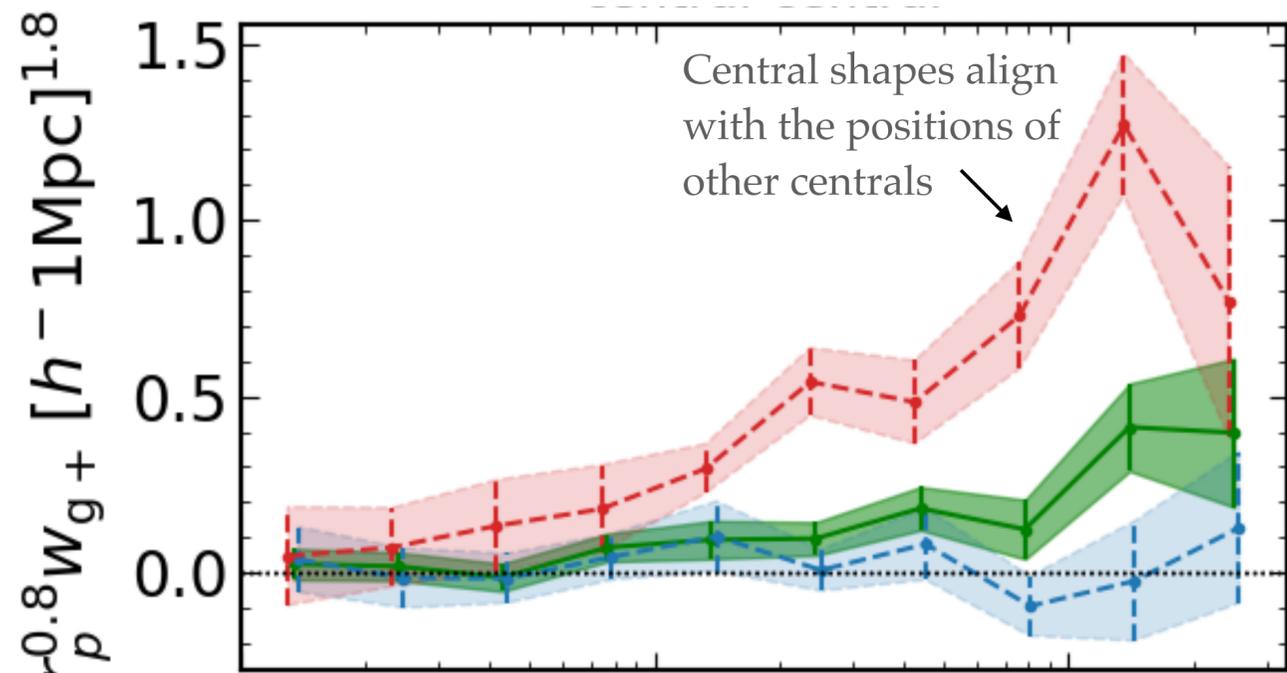
CENTRALS pointing towards SATELLITES



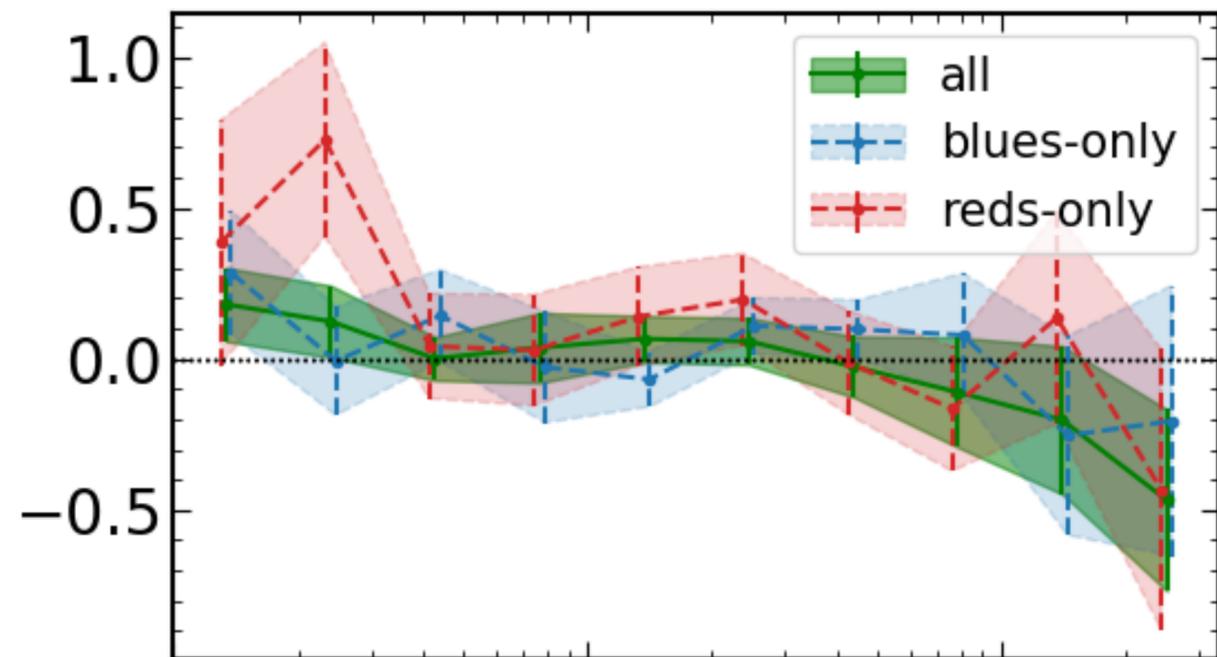
SATELLITES pointing towards SATELLITES



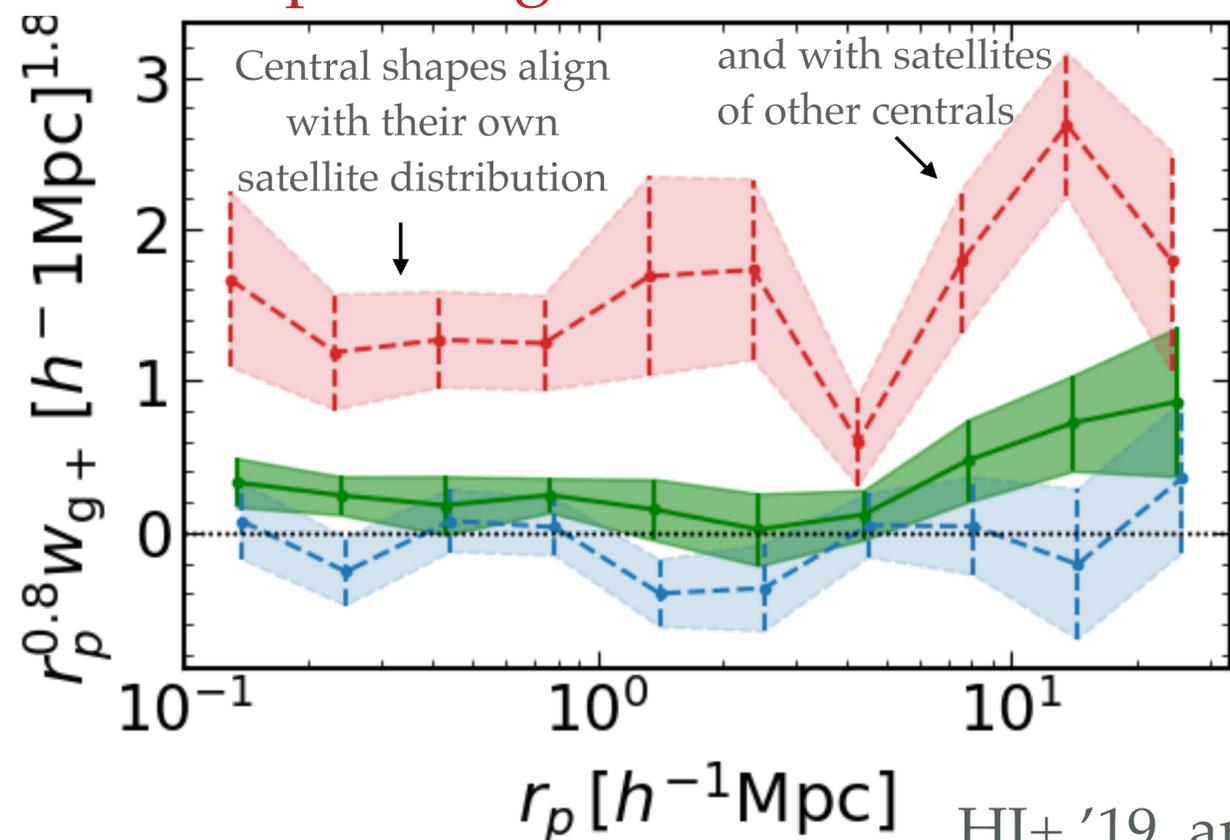
### CENTRALS pointing towards CENTRALS



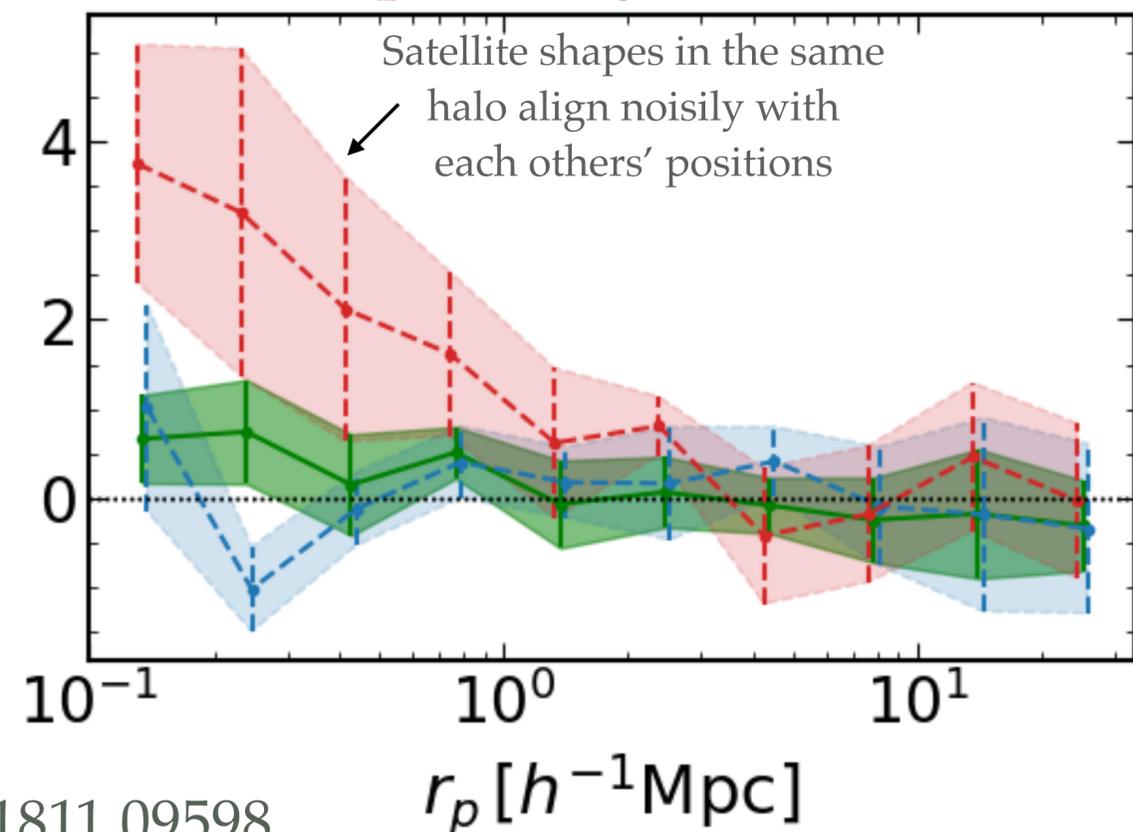
### SATELLITES pointing towards CENTRALS



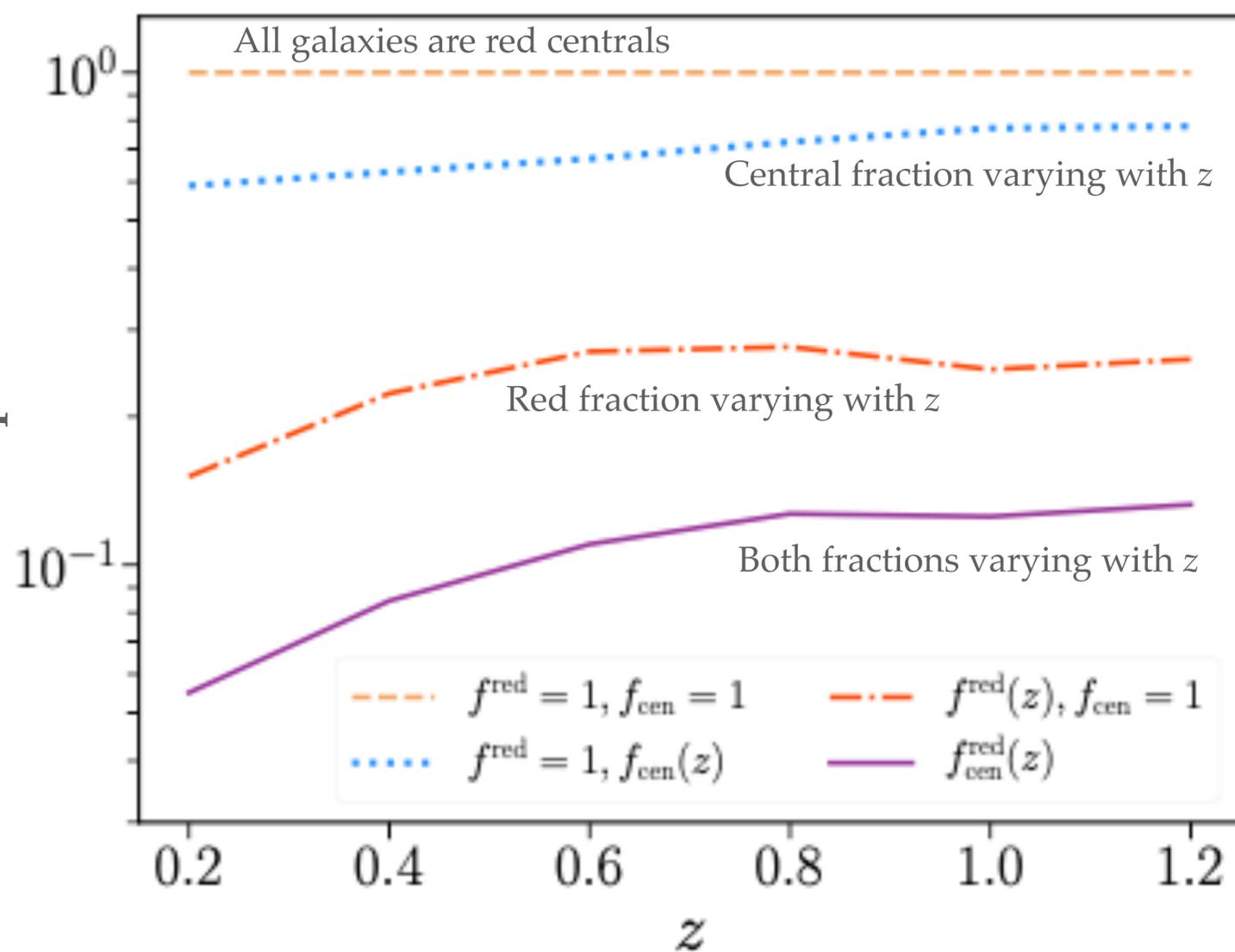
### CENTRALS pointing towards SATELLITES



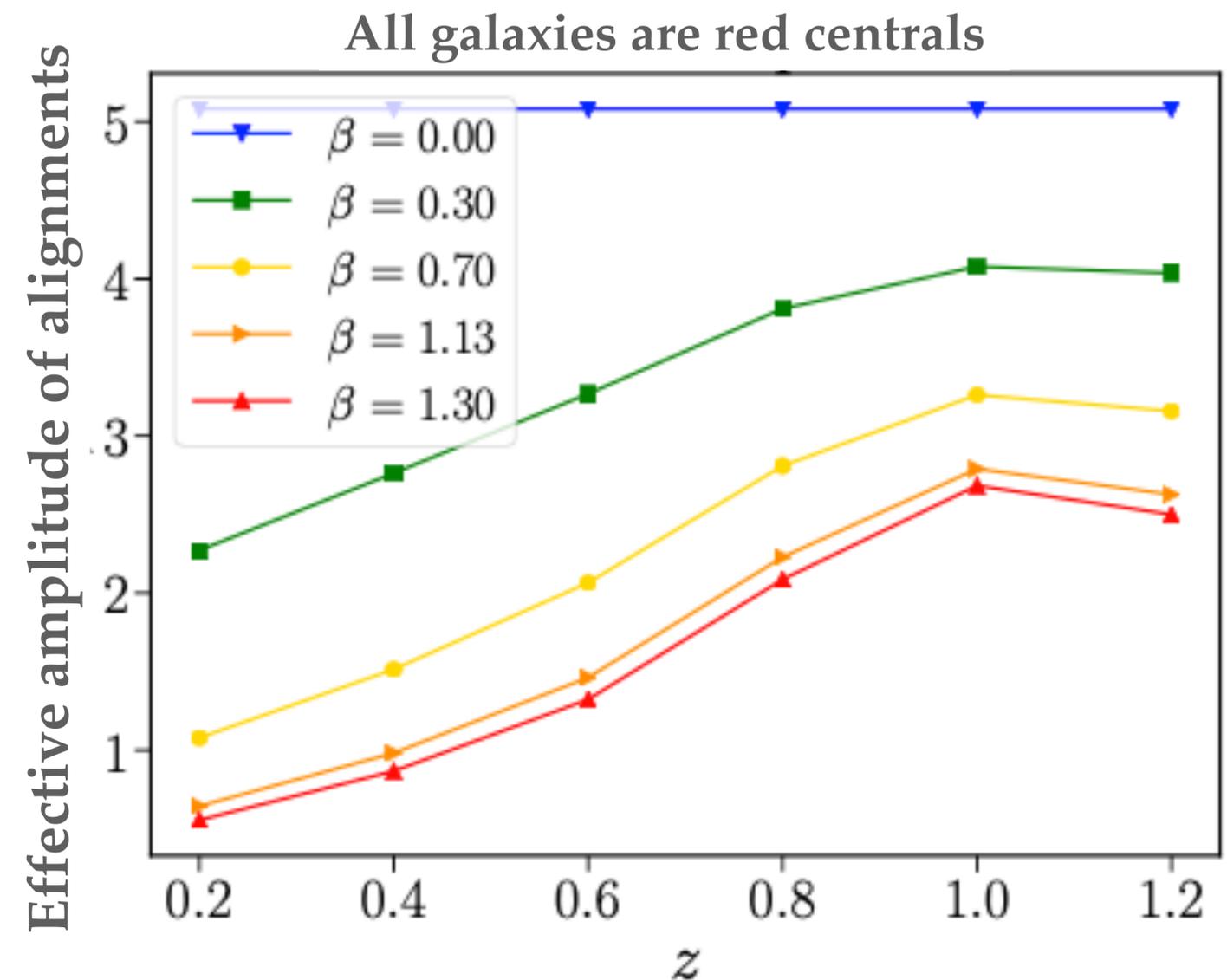
### SATELLITES pointing towards SATELLITES



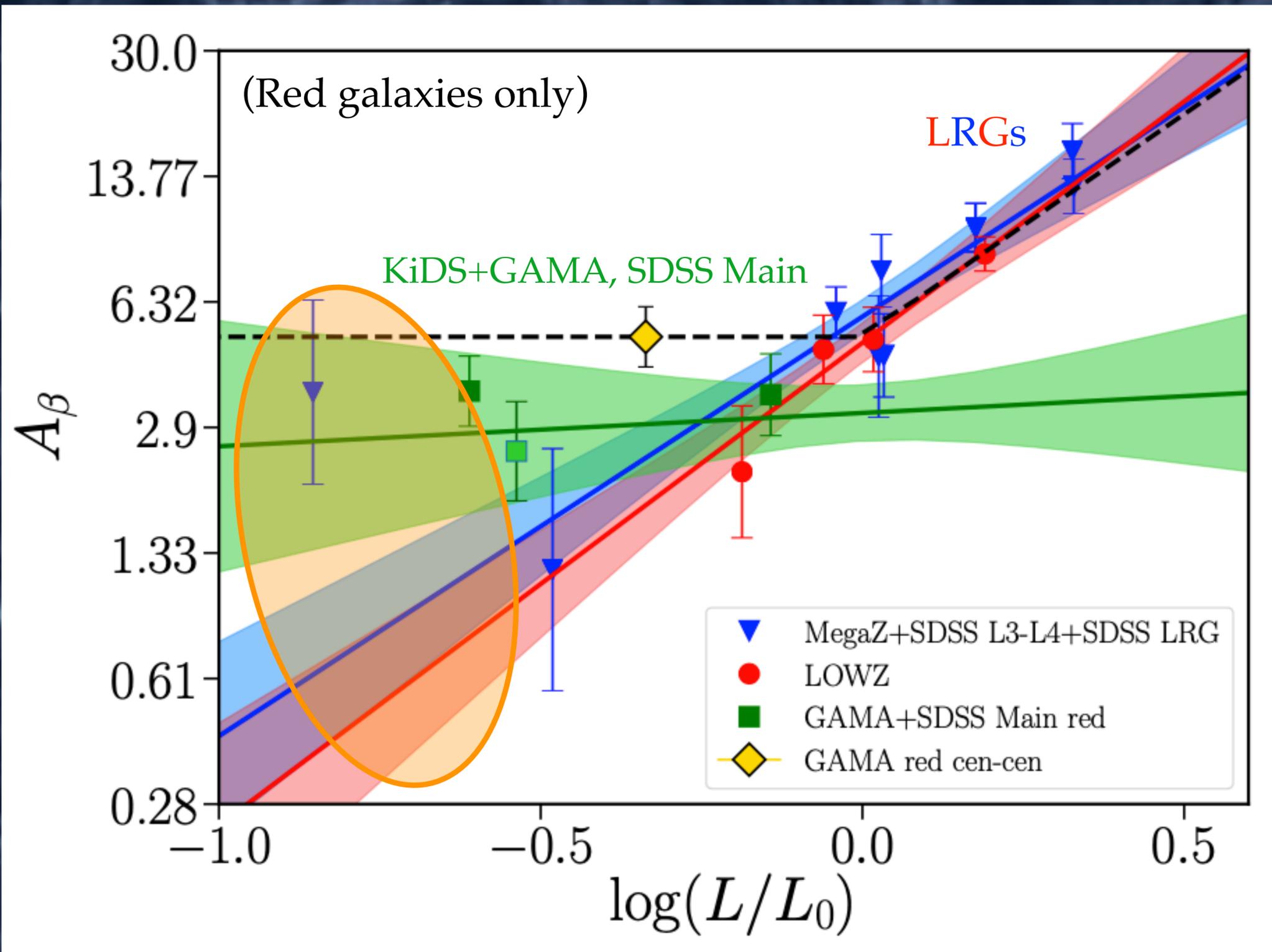
Strength of alignments relative to basic model prediction



- Red galaxy fraction & central galaxy fraction determine the amplitude of linear-scale alignments in data; both of these evolve with redshift

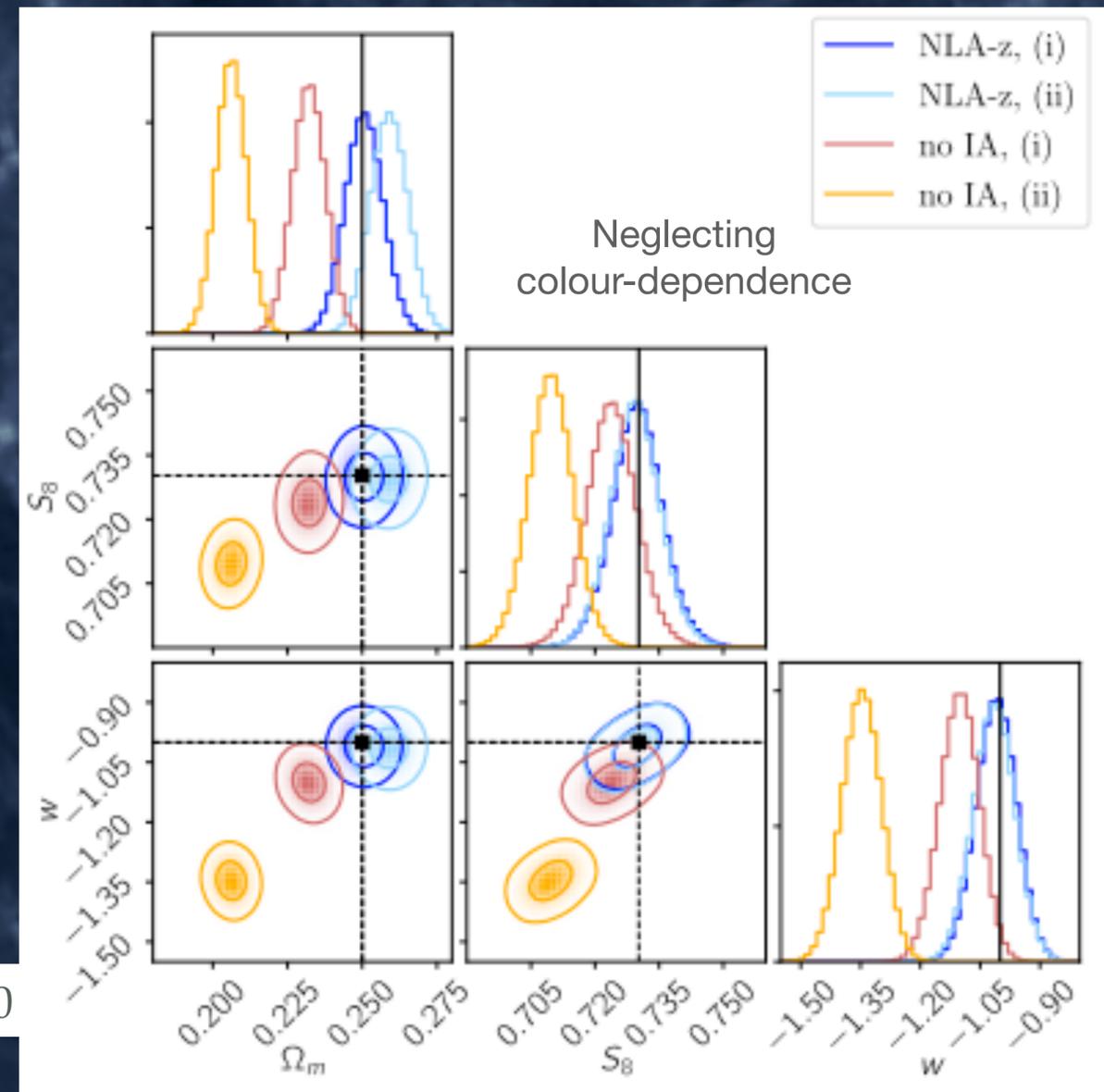


- Galaxy colours and central/satellite status correlate with luminosity
- Do intrinsic alignments also depend on luminosity?
- (NB: Georgiou, HJ, + '19 also found IA to differ as a function of waveband, if things were not already complicated enough)

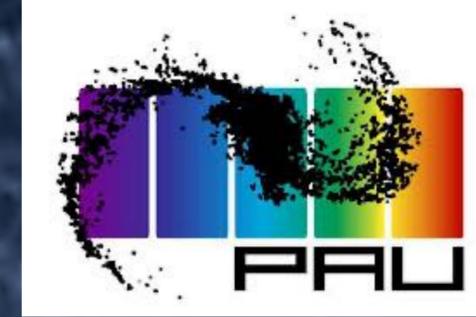


Fortuna, HJ, + '20, arXiv:2003.02700

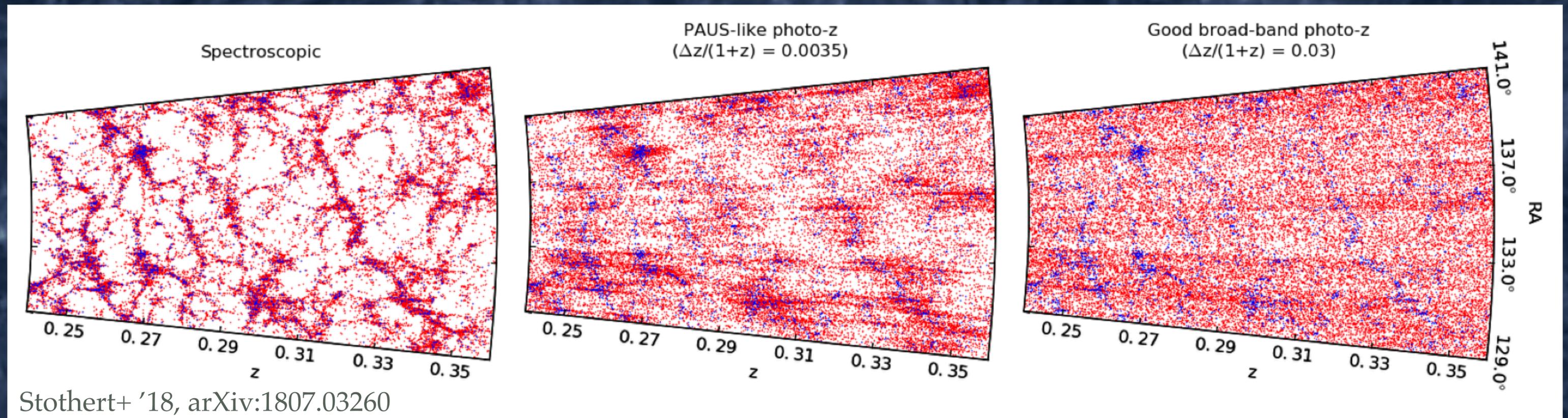
- Bright red galaxies do seem to have luminosity-dependent alignments
- 2 regimes? Broken power-law? This would not be captured by a simple redshift dependence for IA: enter halo model
- Need additional exploration of the **faint-end**: enter PAUS



# PAUS — Physics of the Accelerating Universe Survey

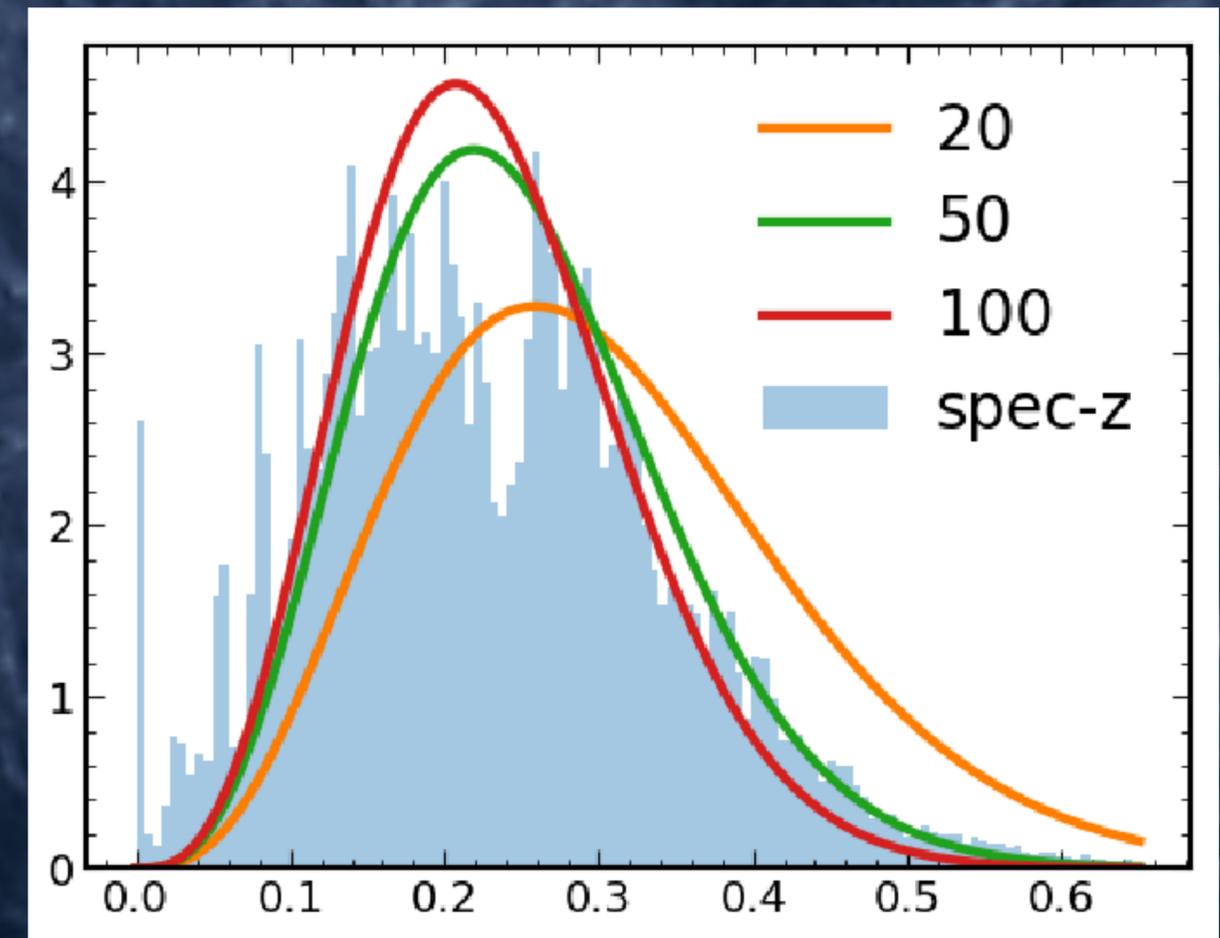
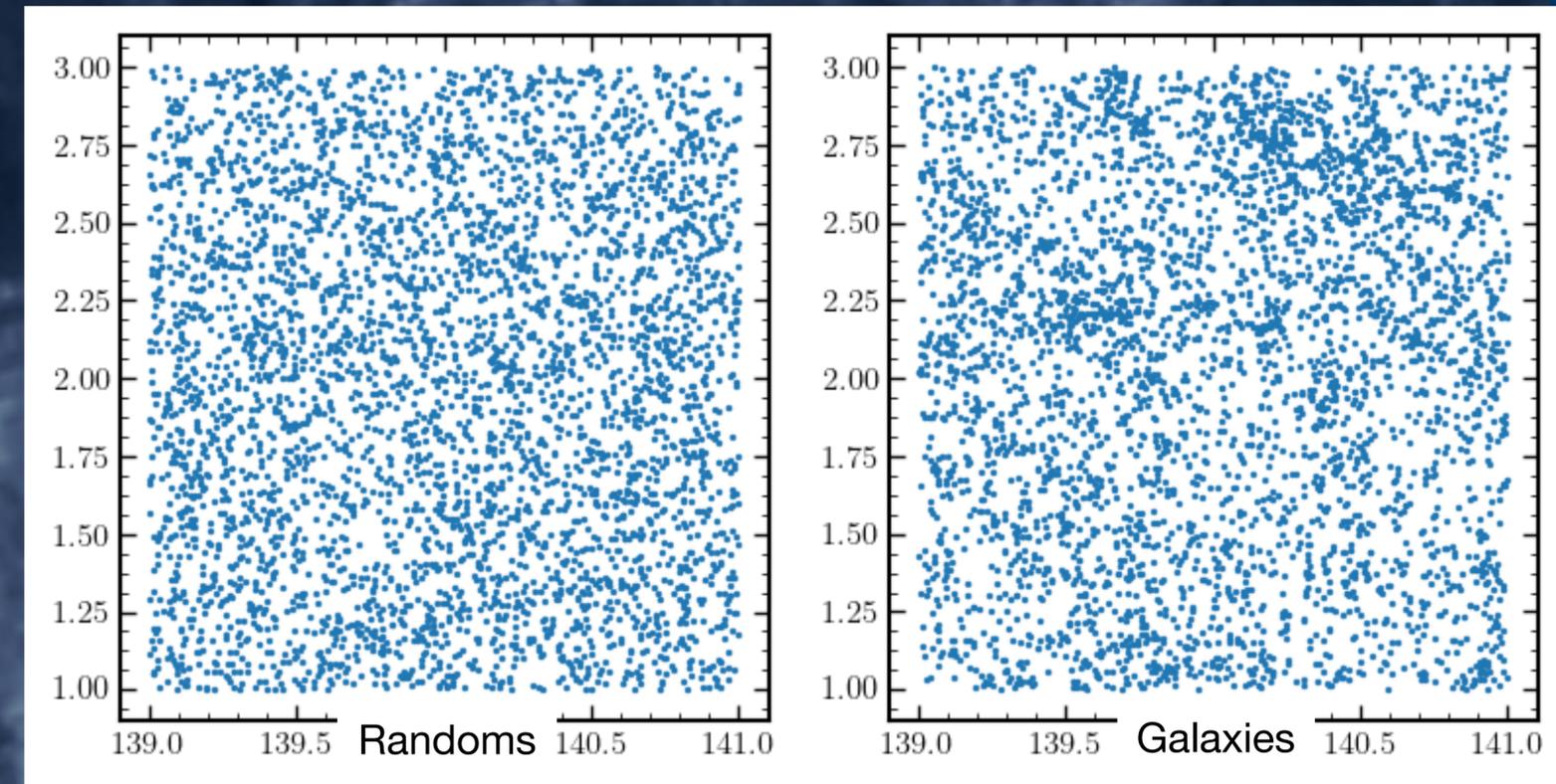


- PAUcam @ William Herschel Telescope (WHT) on La Palma
- 40 optical narrow-bands between 4500-8500Å + 6 broad-bands from CFHTLS
- Aiming for  $\sim 100$  deg<sup>2</sup> of targeted observation over several non-contiguous fields
- Achieving photometric redshift accuracy of  $\sim 0.3\%$
- Recently finished a [pilot study](#) of galaxy IA + clustering in the 19 deg<sup>2</sup> W3 field  
(arXiv:2010.09696)

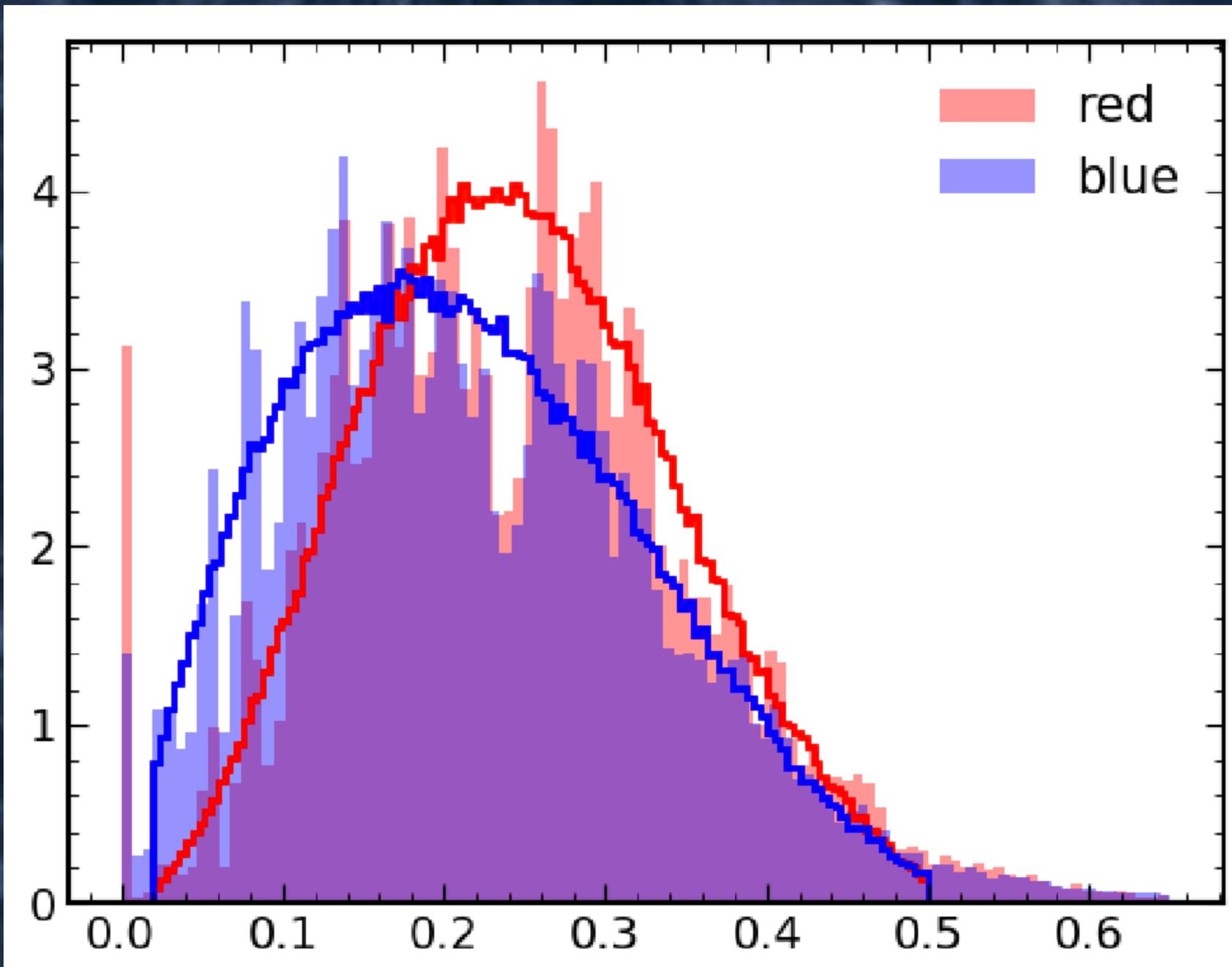


# Randoms

- *Random galaxy catalogues* tell us what is special about the positions of real galaxies
- Galaxies cluster together under gravity; to be quantitative, we must compare their distribution in ratio to a random, i.e. un-clustered, field
- This means we want random points over the same range in 3D as we have galaxies, but they cannot be locally clustered
- Any large-scale structure statistics interested in the positions of objects must make use of randoms



# $V_{\max}$ randoms — Cole '11; Farrow, +'15



- We want the mean number density at each redshift; use the luminosity function  $\phi(L) = 1/\sum_i V_{\max,i}(L)$
- Calculate a maximum redshift  $z_{\max}$  for each object, given  $k+e$ -corrections:

$$\begin{aligned} M_{z=0} &= m_{\text{obs.}} - \mu_{\text{obs.}} - k_0(z_{\text{obs.}}) + Q z_{\text{obs.}} \\ &= m_{\text{limit}} - \mu_{\text{max}} - k_0(z_{\text{max}}) + Q(z_{\text{obs.}} - z_{\text{max}}) \end{aligned}$$

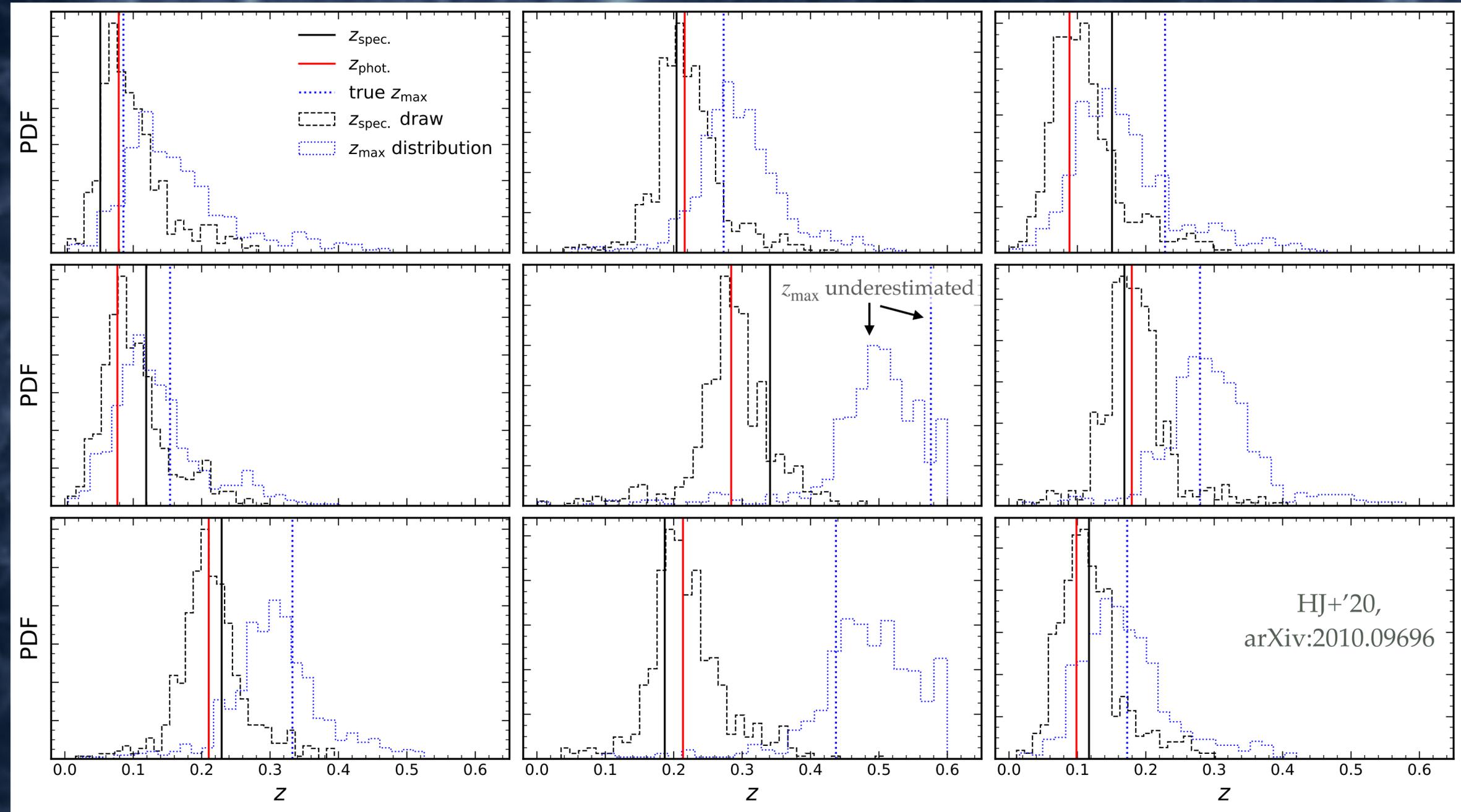
- Scatter ‘clones’ of each galaxy uniformly within the corresponding  $V_{\max}$ , or Gaussian-distribute them around the parent  $z_{\text{spec}}$  (‘windowed’ randoms)

# $V_{\max}$ randoms with photo- $z$ — HJ, + (in prep.)

- Redshift errors  $\rightarrow$  errors in  $z_{\max}$

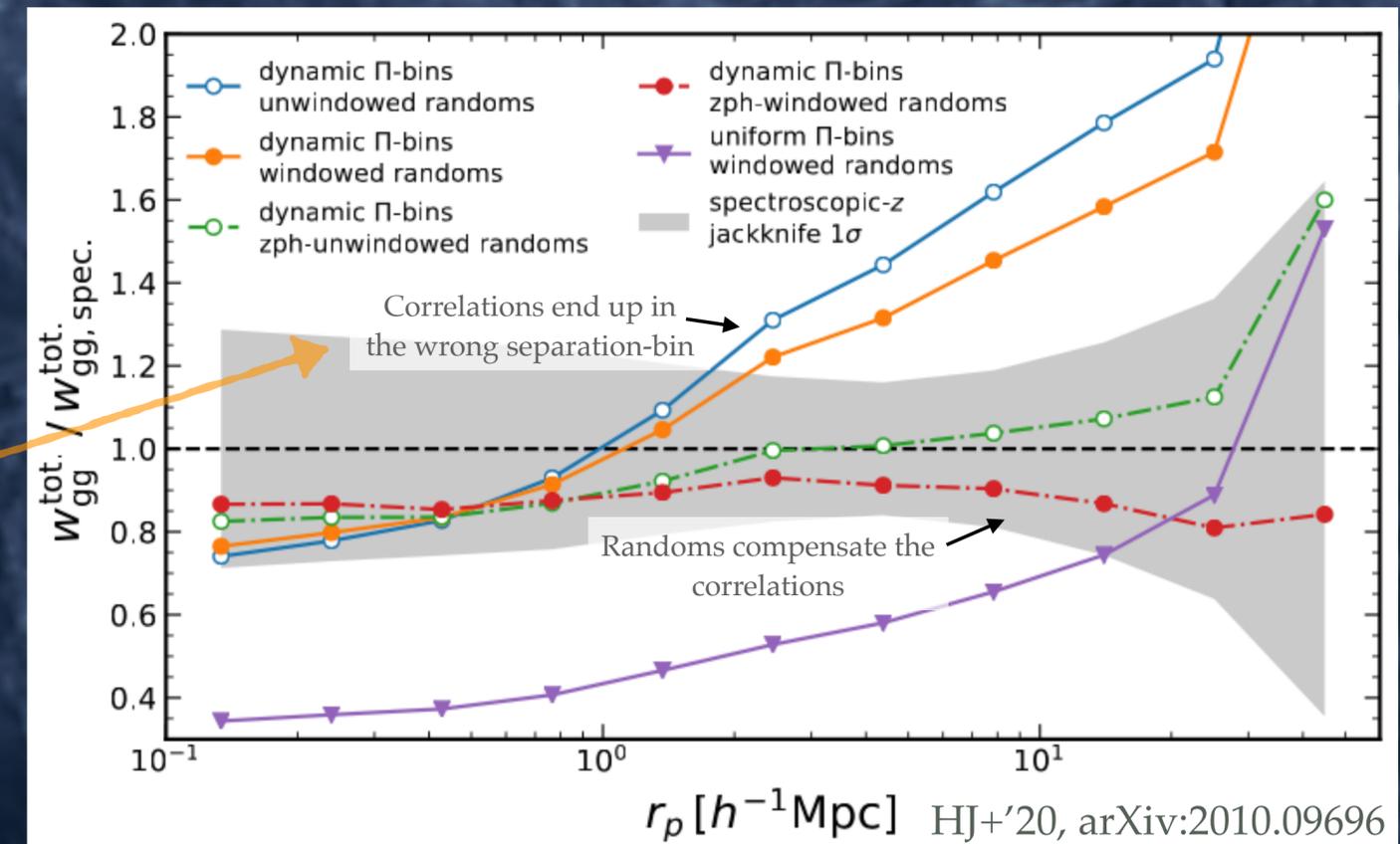
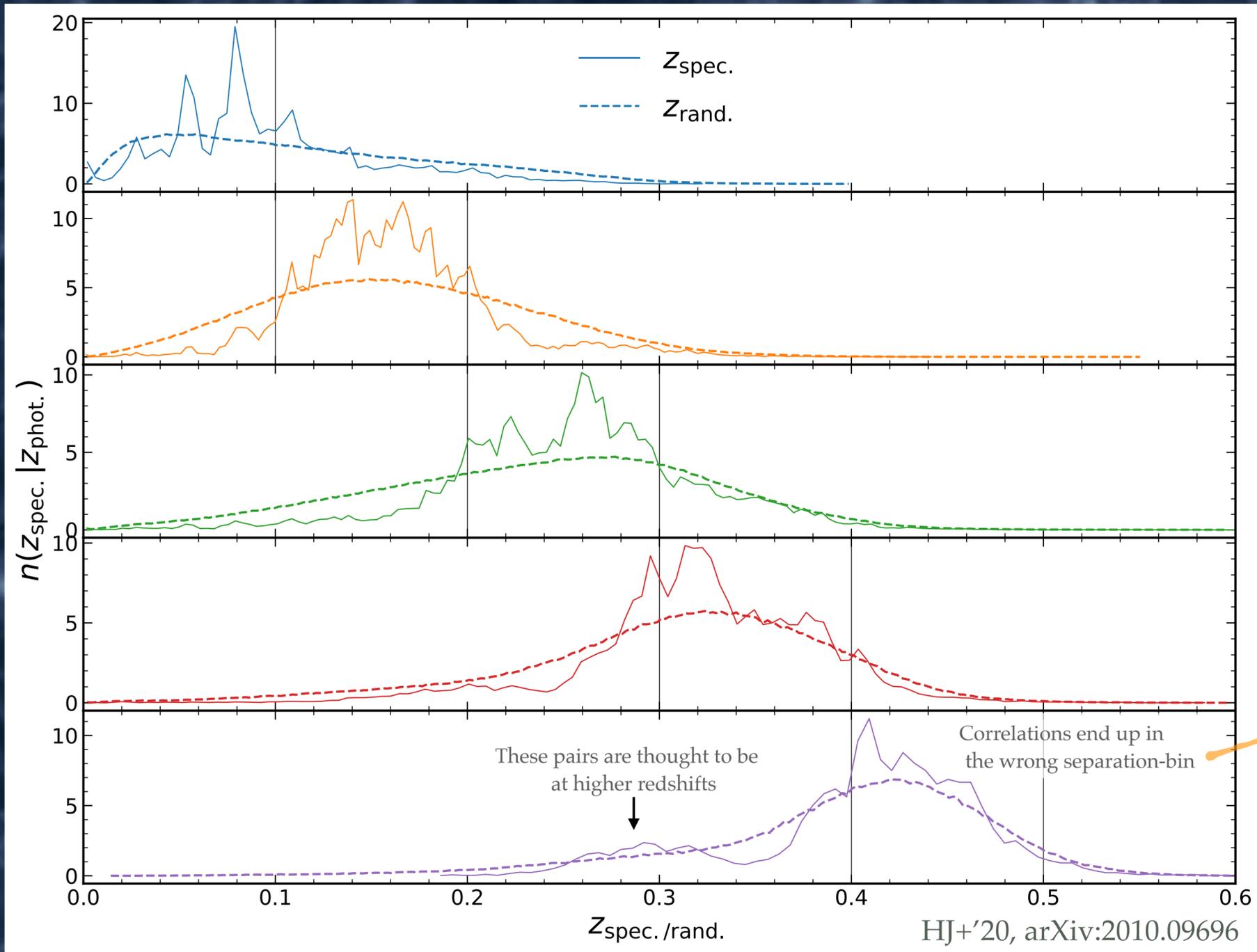
- Given some spectroscopic objects, we can sample from  $n(z_{\text{spec}} | z_{\text{phot}} \pm \delta z)$  for each galaxy

- Mitigate error in  $z_{\max}$  by generating a distribution  $P(V_{\max})$  encoding photo- $z$  errors

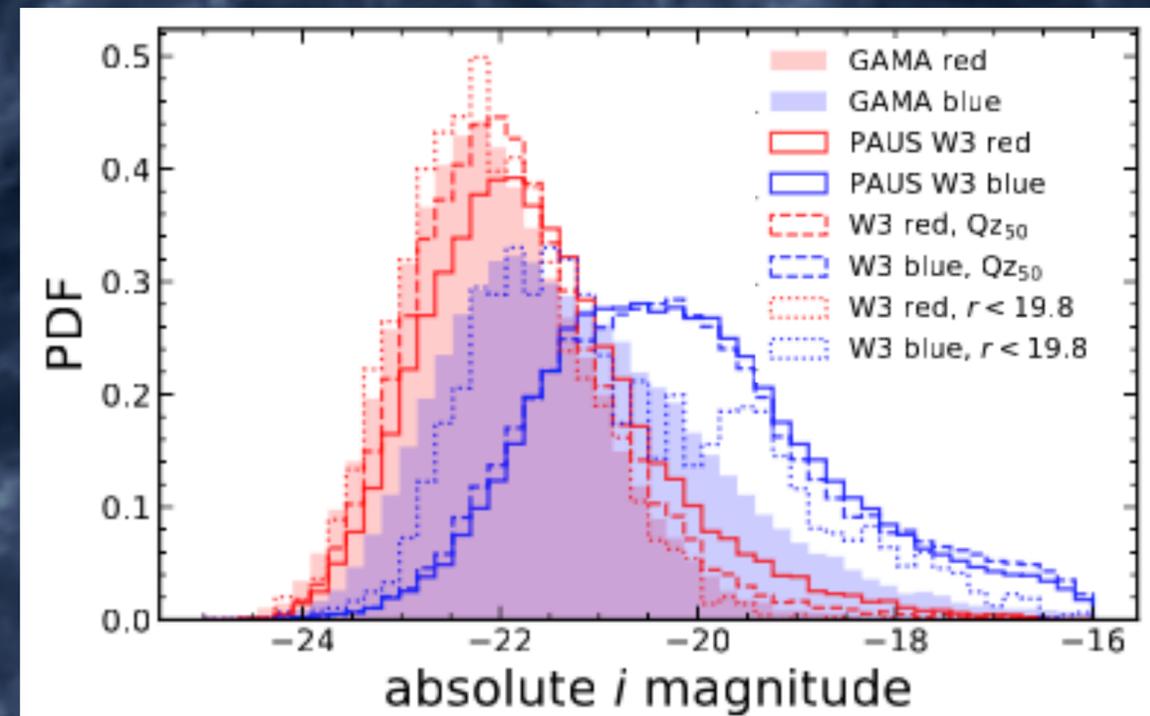
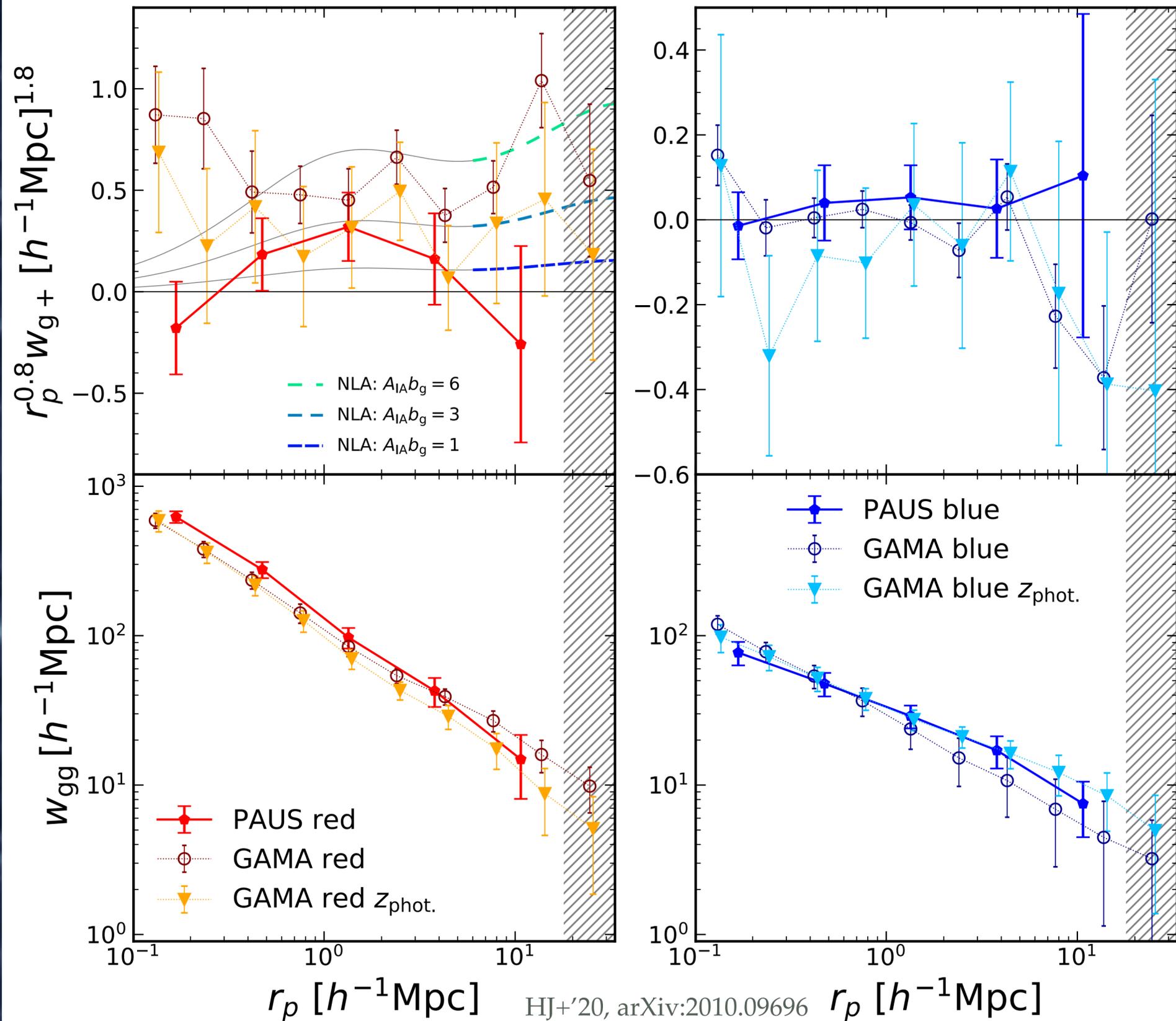


# $V_{\max}$ randoms with photo- $z$ — HJ, + (in prep.)

- Creating ensemble randoms from  $P(V_{\max})$  we avoid over-filling low redshifts and we compensate photo- $z$  degeneracies
- These randoms prevent photo- $z$  induced tilting of measured correlation function ↓



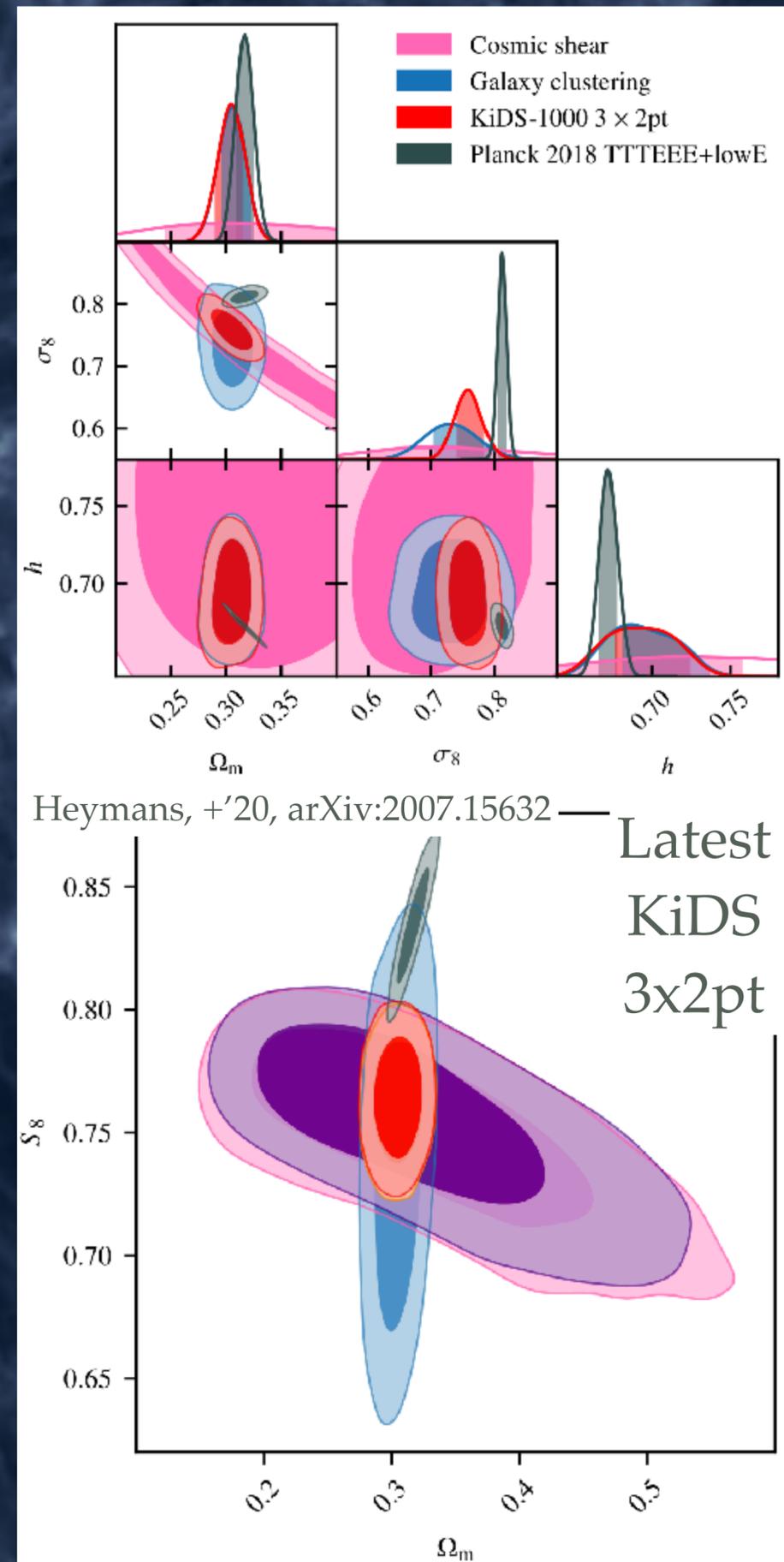
PAUS W3 -- all galaxies in  $0.1 < z_{\text{phot.}} < 0.8$



- With our fancy randoms we can measure IA + clustering in PAUS (+ mock GAMA)
- Probing fainter objects  $\Rightarrow$  more satellites, over a longer redshift baseline
- Red alignments lost in low S/N ( $\lesssim 2\sigma$ ); may recover these with full PAUS area
- Blue galaxies again unaligned

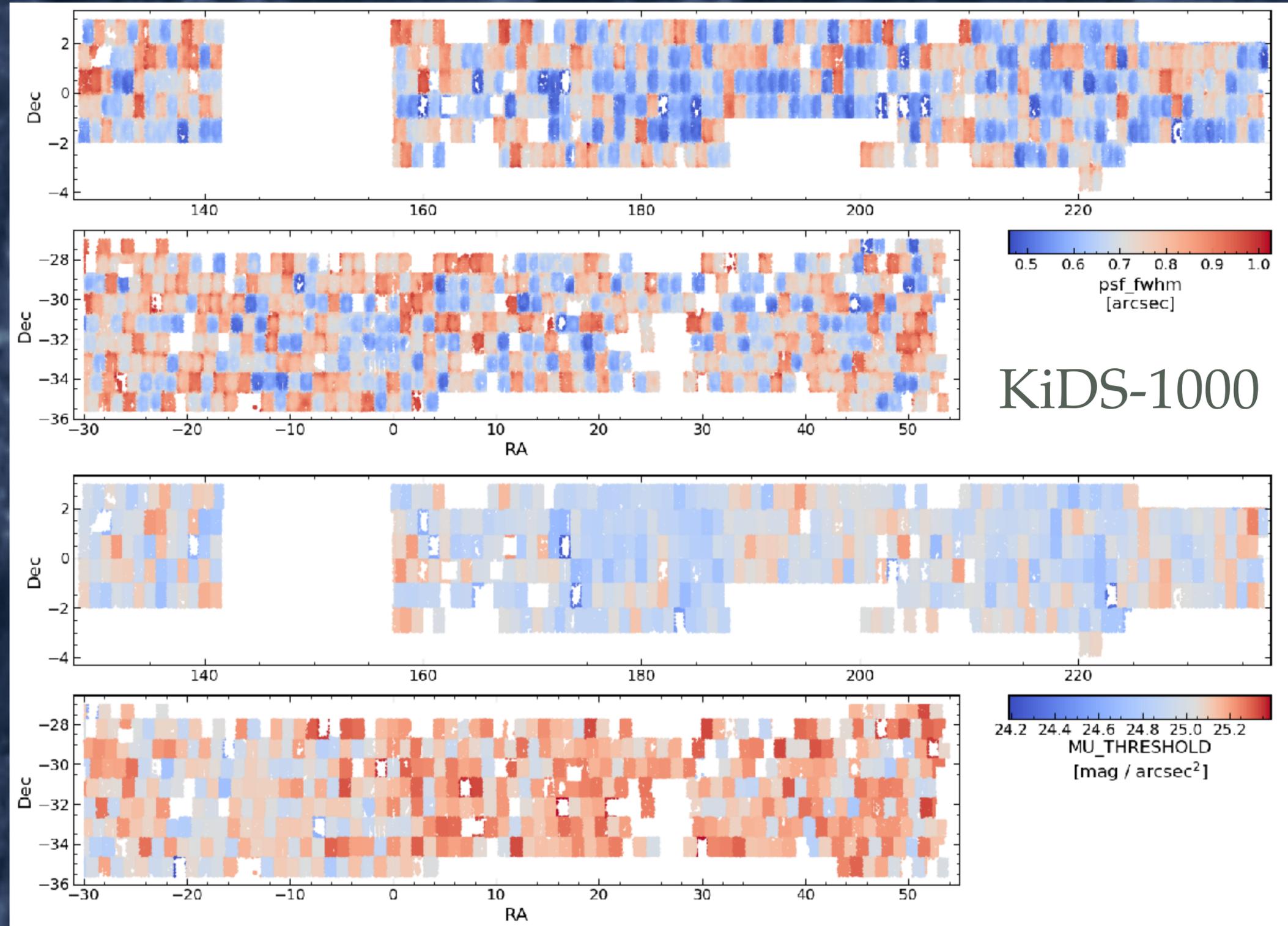
# 3x2pt analysis

- Weak cosmological lensing — cosmic shear — is a powerful probe of the cosmic matter distribution, but is subject to a strong degeneracy between  $\sigma_8$  and  $\Omega_m$
- Jointly analysing cosmic shear with galaxy clustering, and their cross-correlation: galaxy-galaxy lensing (GGL), helps to break the degeneracy and tighten parameter constraints
- The inclusion of galaxy positional statistics also helps with self-calibration of astrophysical and systematic biases, e.g. intrinsic alignments, photo- $z$  and galaxy bias, via nuisance parameterisations



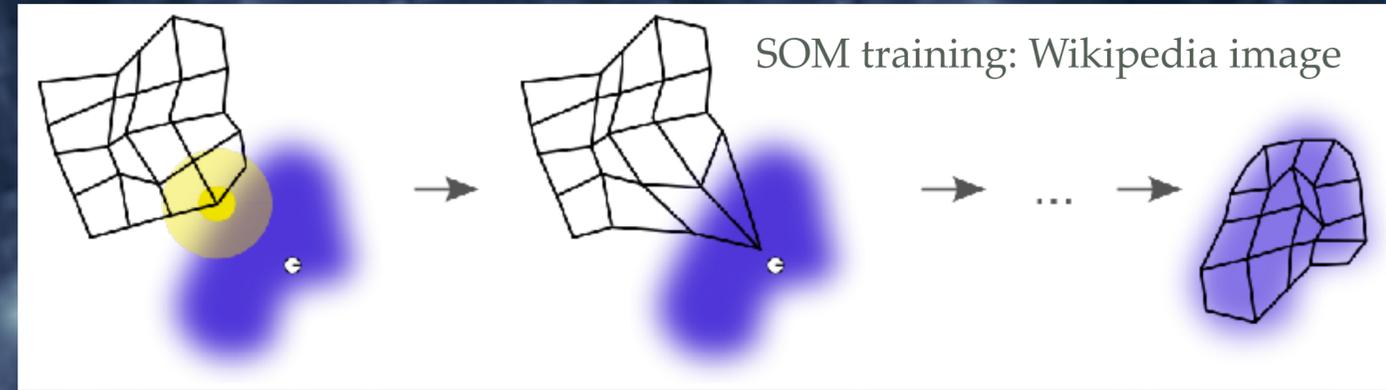
# Observing conditions can mess with your positional statistics — HJ, + (in prep.)

- Variable conditions  $\leftrightarrow$  PSF, or Galactic extinction, or Milky Way stars, or.... can cause you to systematically fail to detect galaxies
- With a spatially inhomogeneous selection function, galaxy positional statistics can be biased
- We must attempt to mitigate these biases lest they contaminate our cosmological inference

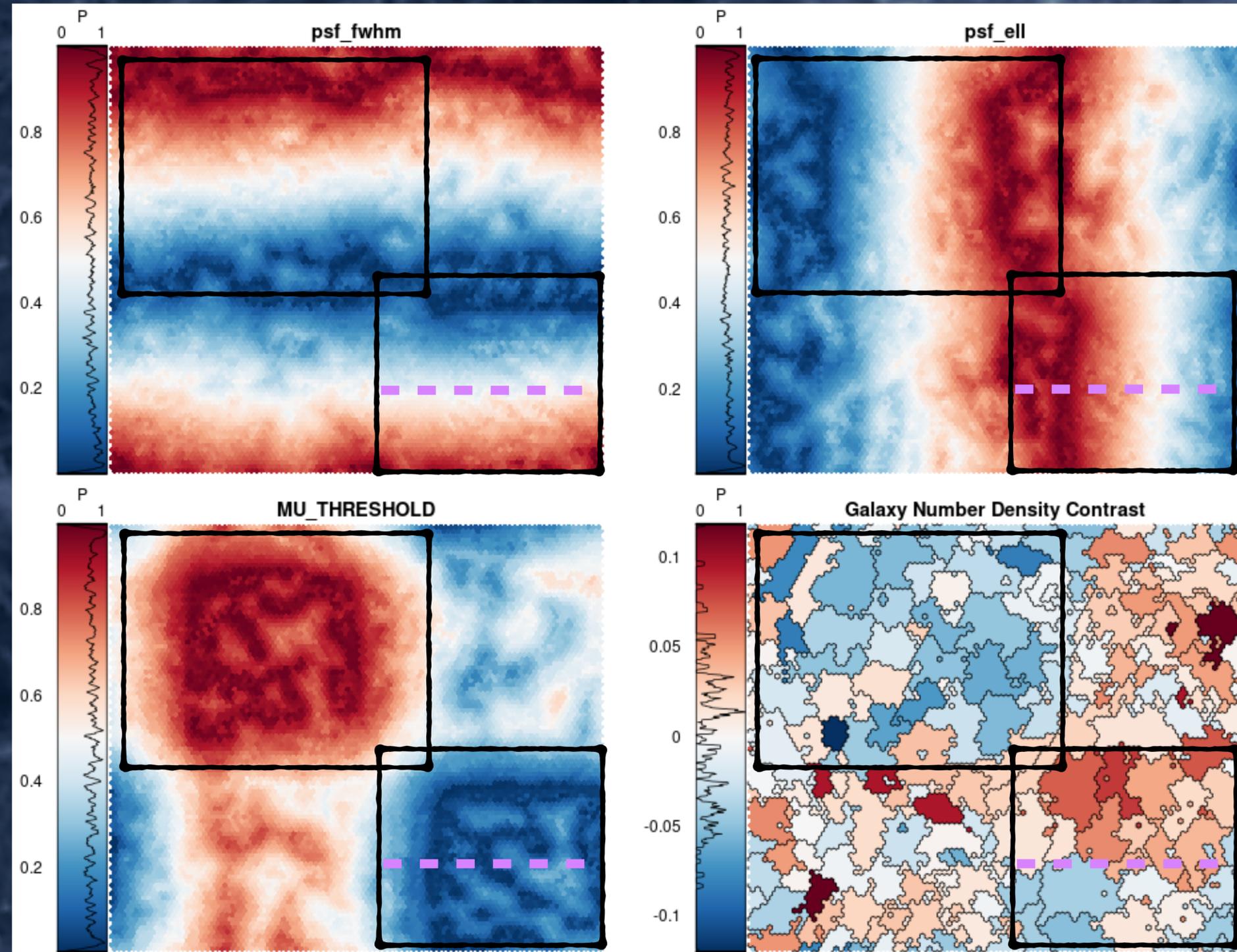


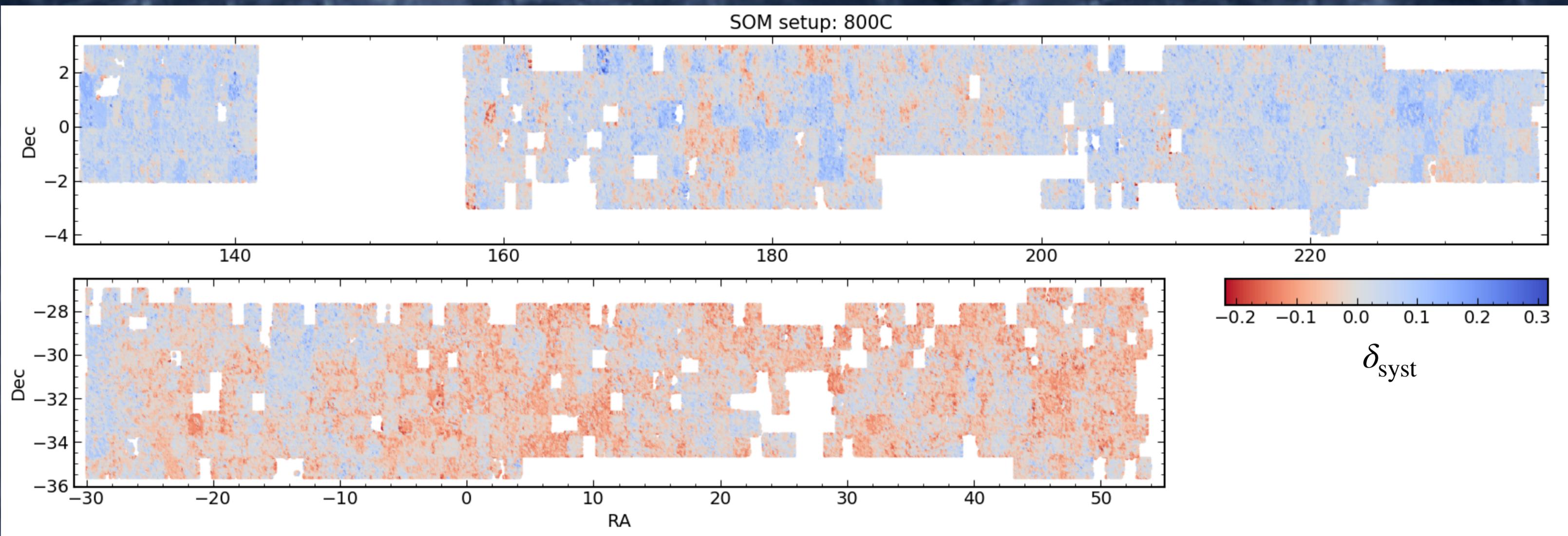
# Self-organising maps (SOMs)

— HJ, + (in prep.)



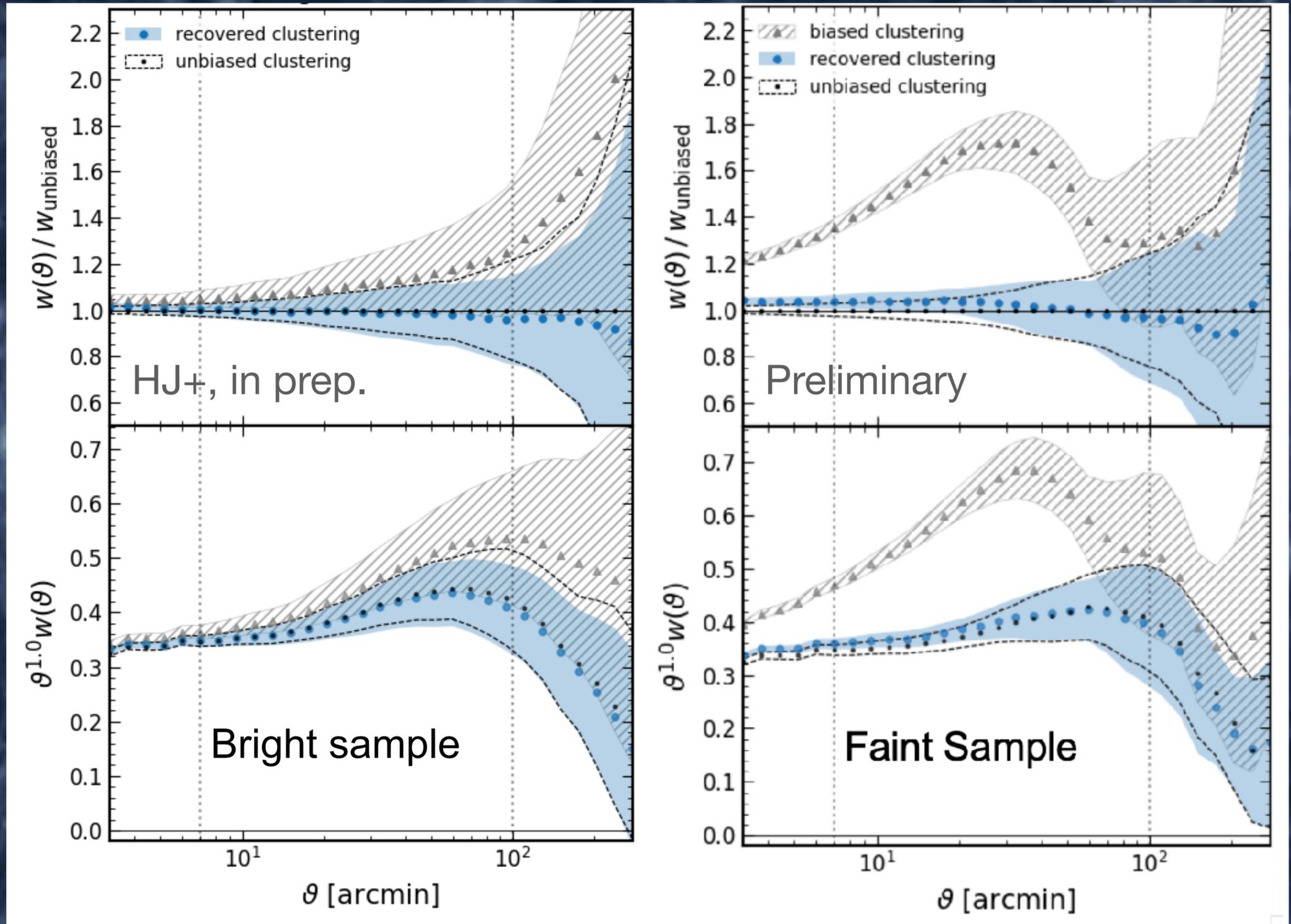
- SOMs: unsupervised artificial neural networks designed to project high-dimensional data onto a 2D map, preserving topological features of the space
- Useful for dimensionality reduction, classification, data visualisation...
- Training the SOM on survey systematic-tracers, we bin the map into  $N_{\text{HC}}$  'hierarchical clusters'
- We can then estimate an expected galaxy density contrast for each cluster  $\equiv$  non-contiguous area of sky with correlated systematics

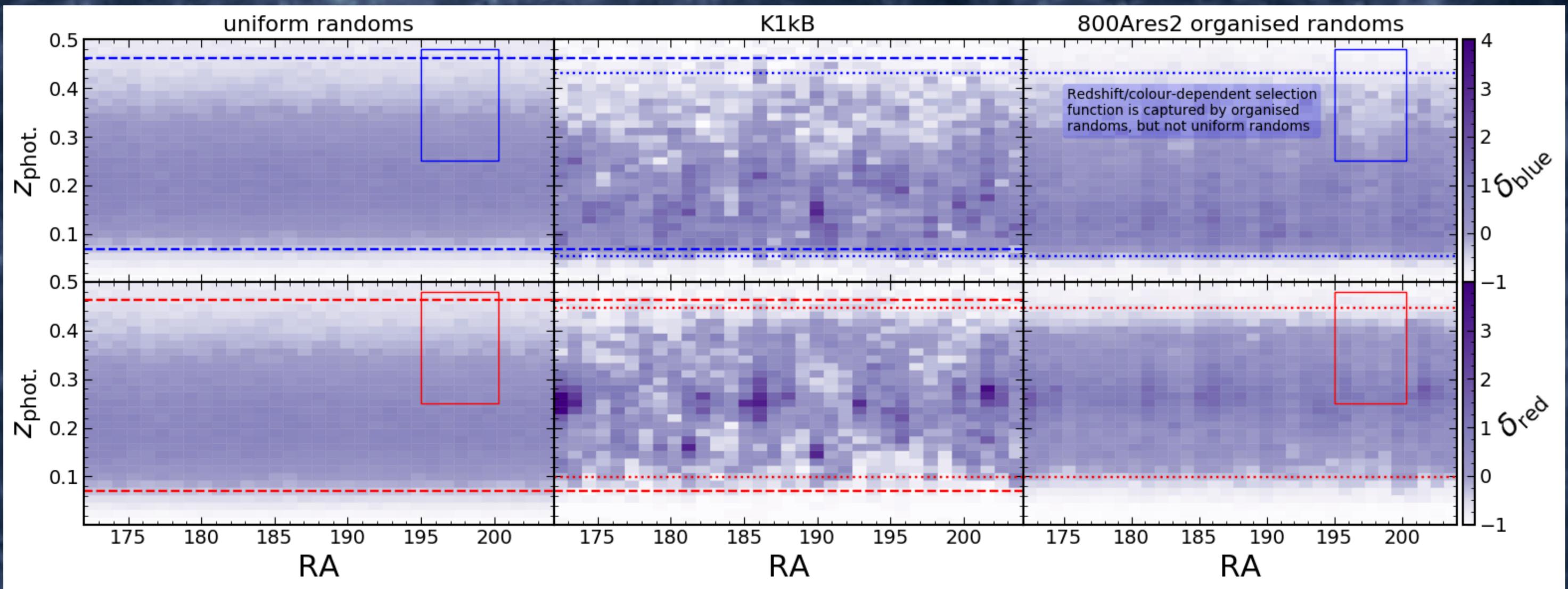




- We can now map the galaxy density contrast back onto the sky — different  $N_{\text{HC}}$  and systematics yield different  $\delta_{\text{syst}}$  — and distribute clones to reflect the systematic fluctuations: **Organised Randoms**
- Using these randoms to measure galaxy positional statistics, we should cancel the systematic fluctuations and remove density field biases
- We interpolate systematic-tracer variables from KiDS-Bright ( $r \lesssim 20$ ) onto dozens of FLASK simulations, and probabilistically apply the systematic density fluctuations inferred from data

- We are able to reliably corrected clustering biases in KiDS-like mock samples
- Performance scales excellently with number density/systematic pathology, as we see with the faint (shear) sample
- Organised randoms are relatively robust to incomplete systematics information & non-optimal scale sensitivity, in particular for the faint sample

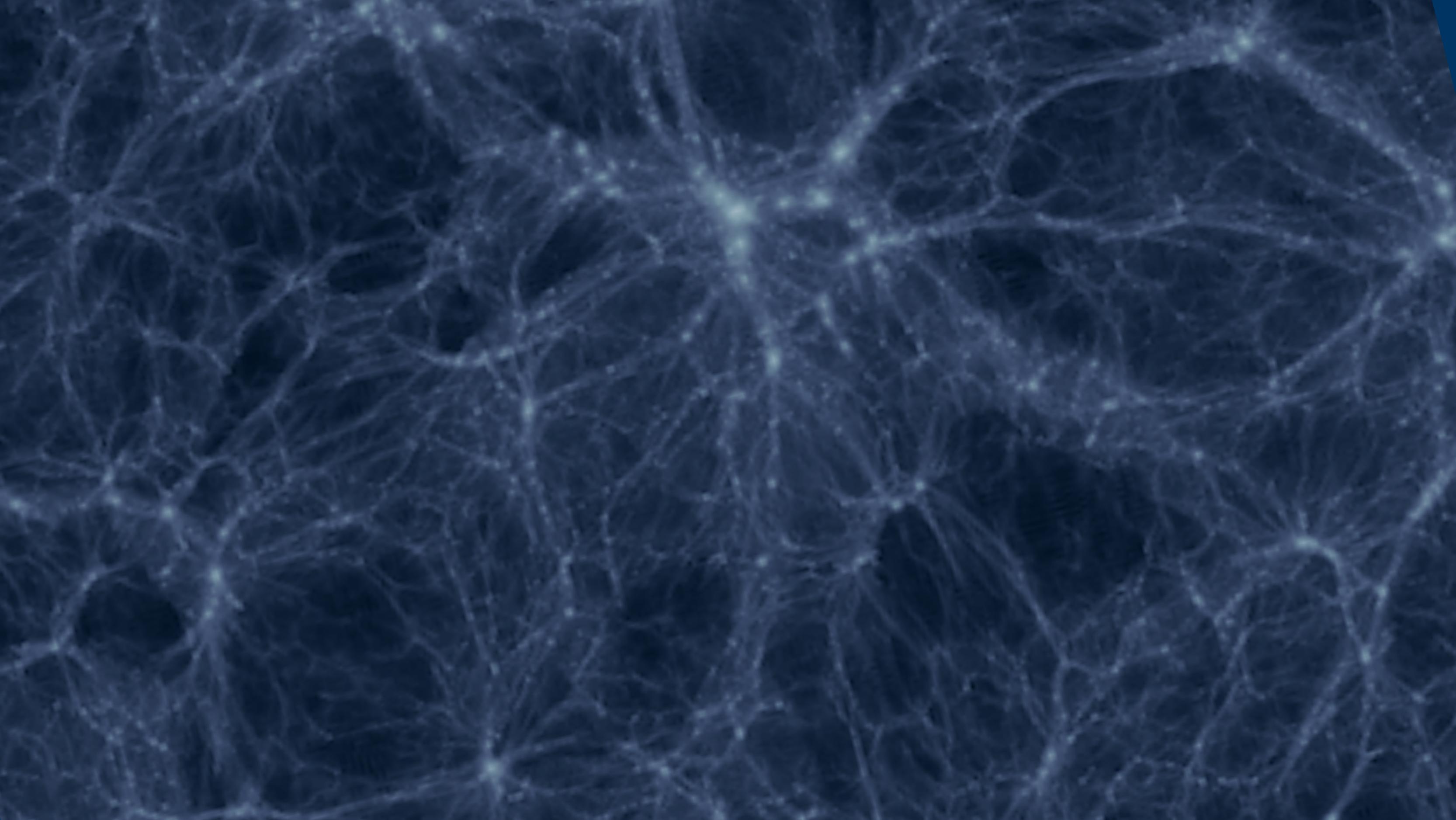


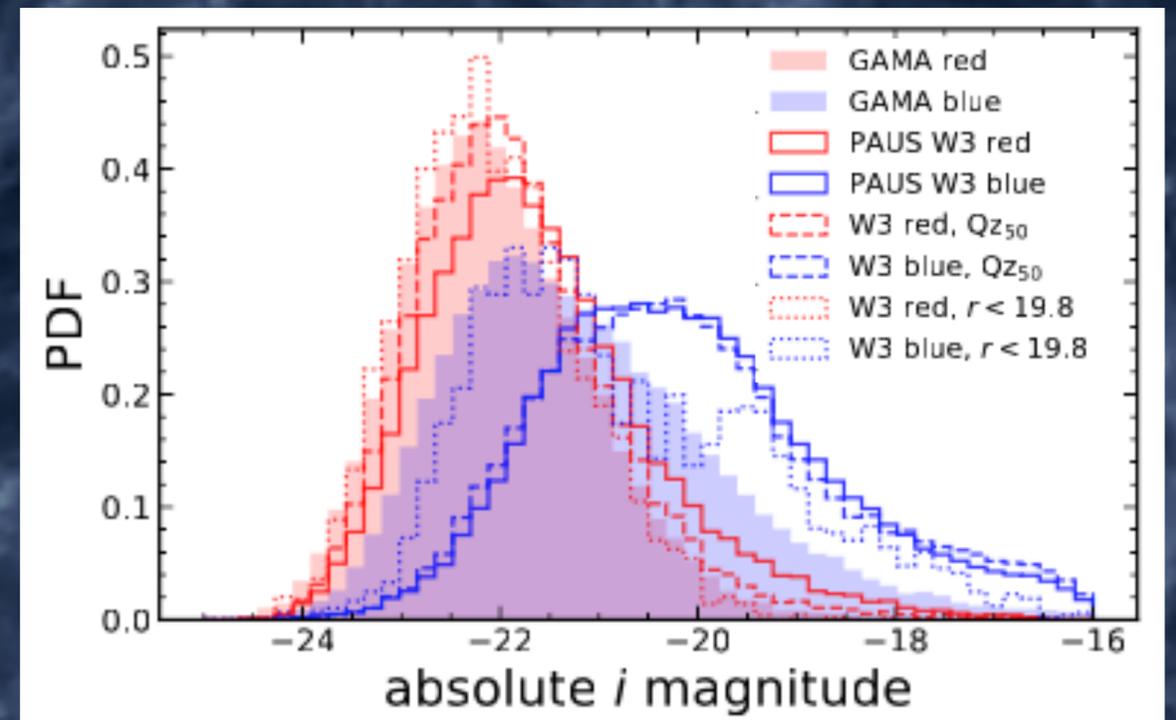
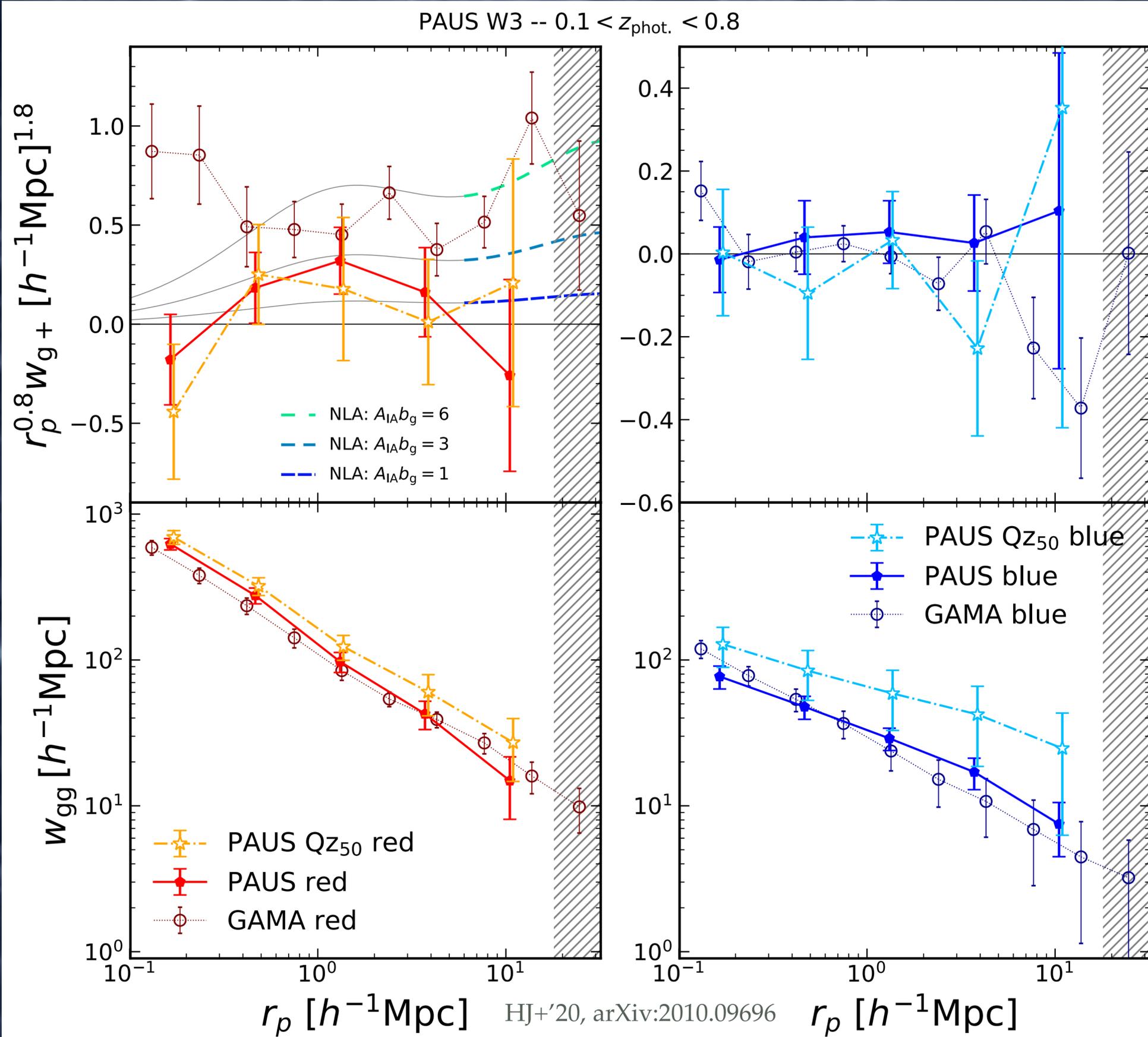


- Bonus: through distribution of clones, we retain the ability to mimic galaxy selection effects in the randoms
- Expanding the redshift axis and selecting on observed colours, we see underdense pointings, and variable redshift distributions, reflected in the randoms
- These benefits will be fully explored in an upcoming tomographic clustering analysis of the faint galaxy samples used for KiDS cosmic shear

# Summary

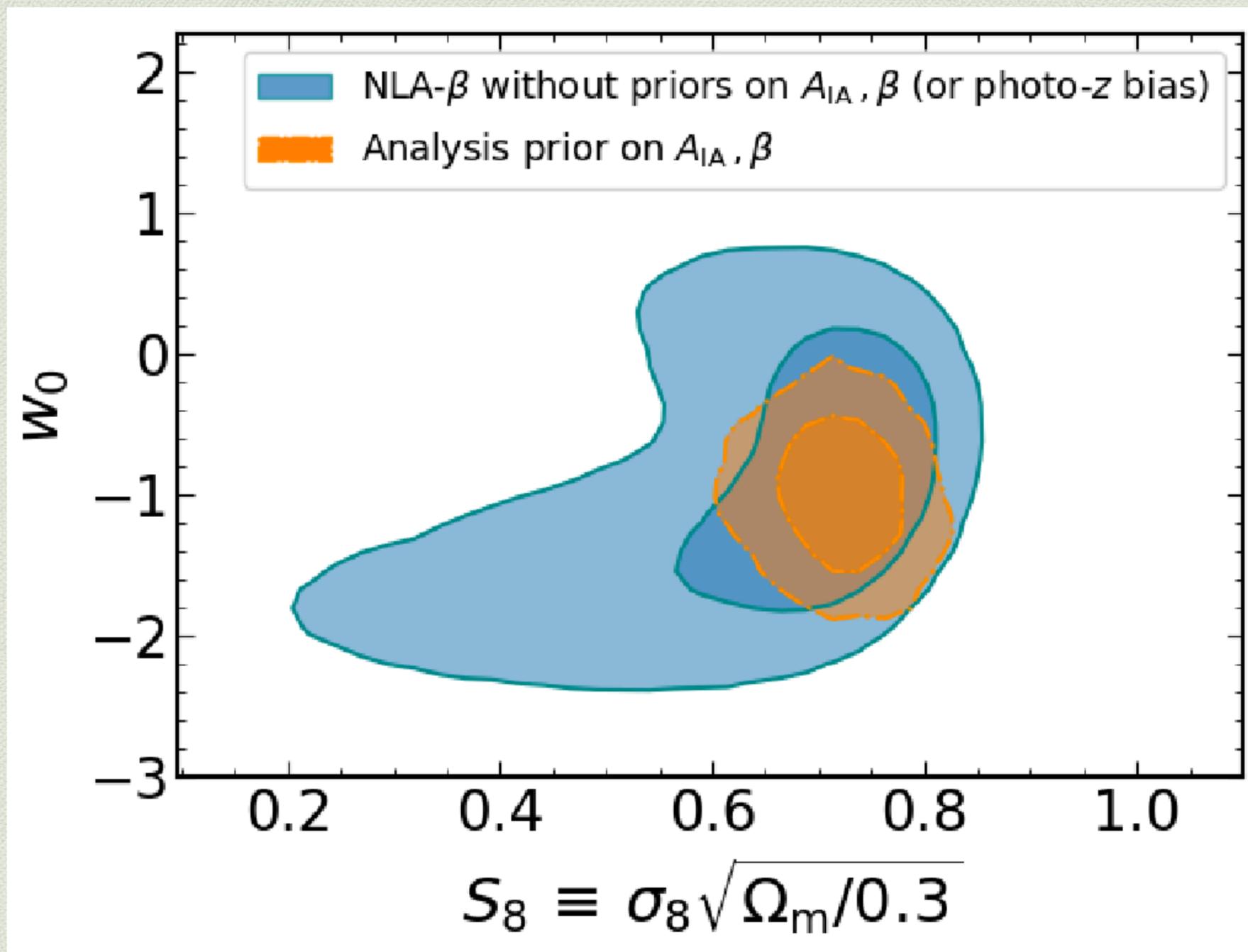
- We don't understand intrinsic alignments very well yet
- Future analyses must focus upon the variability of alignments with respect to centrals/satellites and galaxy luminosity, with a focus on the unconstrained faint-end
- Require new models to accommodate this variability in shear analyses, e.g. perturbation theory, EFT, halo modelling
- More complex randoms can be useful for the accurate measurement of statistics
- Promising new methods for clustering bias-cancellation using “organised” randoms from self-organising maps





- Same as previous figure, but now comparing with signals from best 50% of photo- $z$

# Completed-KiDS Forecast — demonstrating potential impact of IA priors



- colour-split cosmic shear-only
- 1350deg<sup>2</sup> , 9 galaxies arcmin<sup>-2</sup>
- 5-bin tomography ,  $z[0.1, 1.2]$
- photo-z scatter =  $0.05(1+z)$

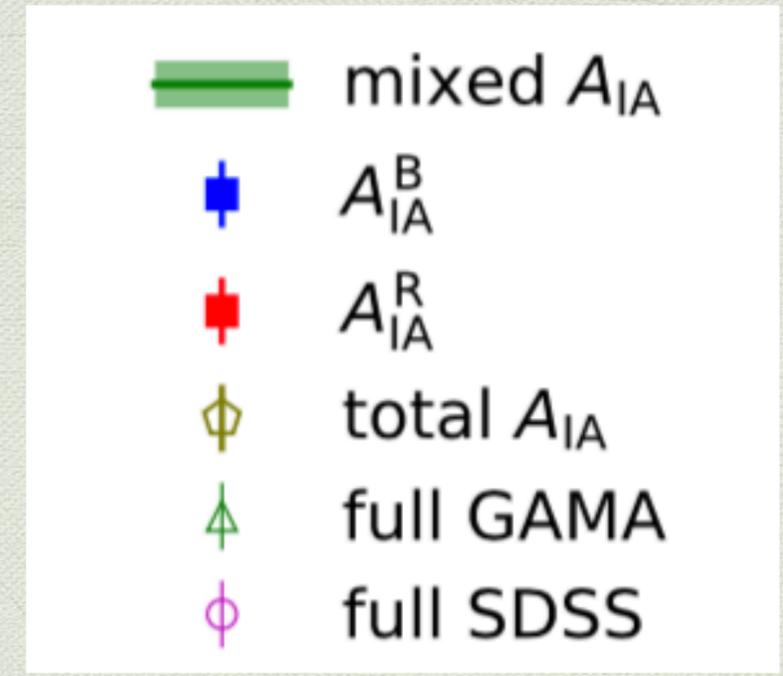
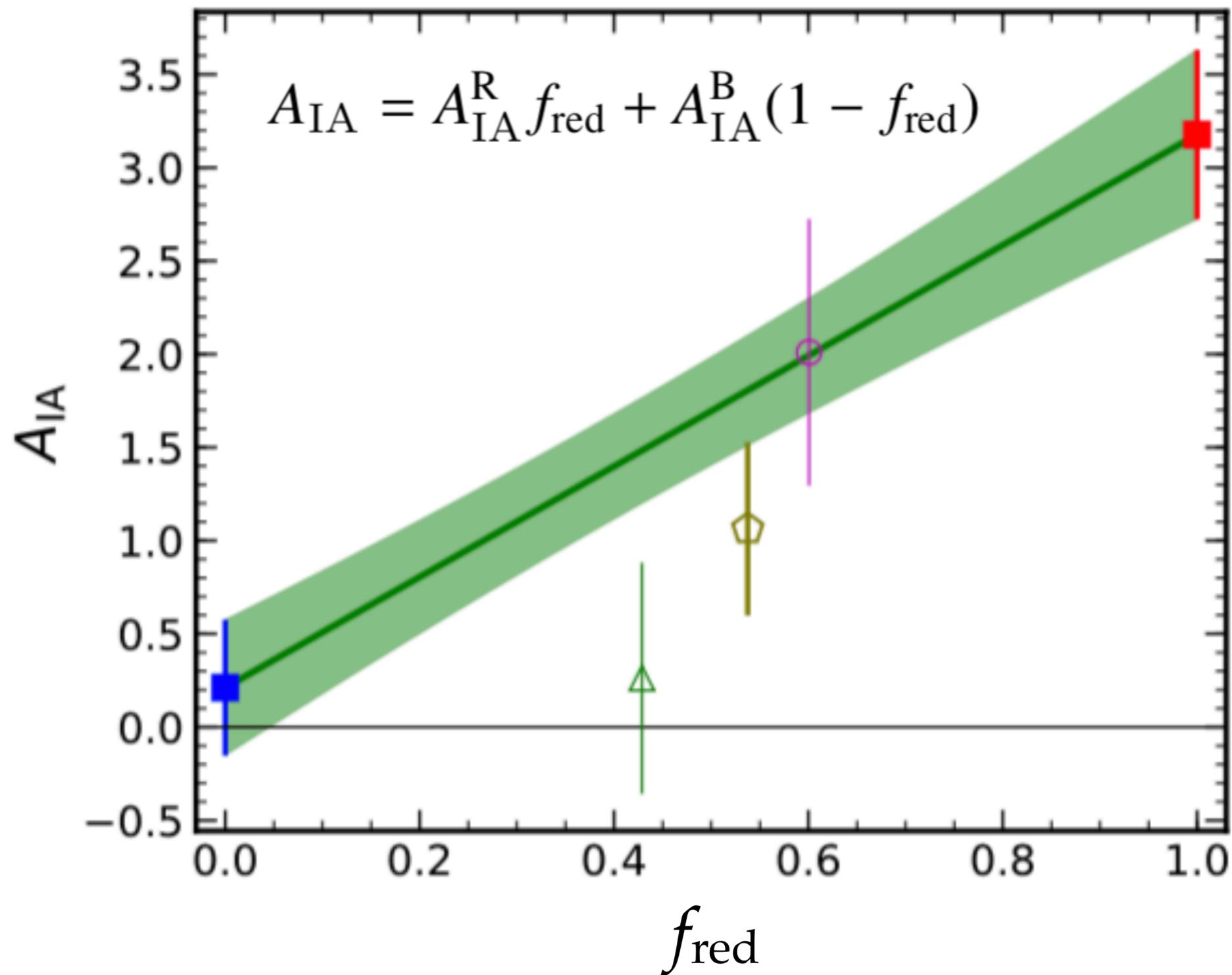
Fisher forecast cosmo parameters:

$$\Omega_m, \sigma_8, w_0, \Omega_b, h, n_s$$

and nuisance parameters:

$$A_{IA}, \beta, a_{z1}, \dots, a_{z5}$$

with 2 each for red/blue!



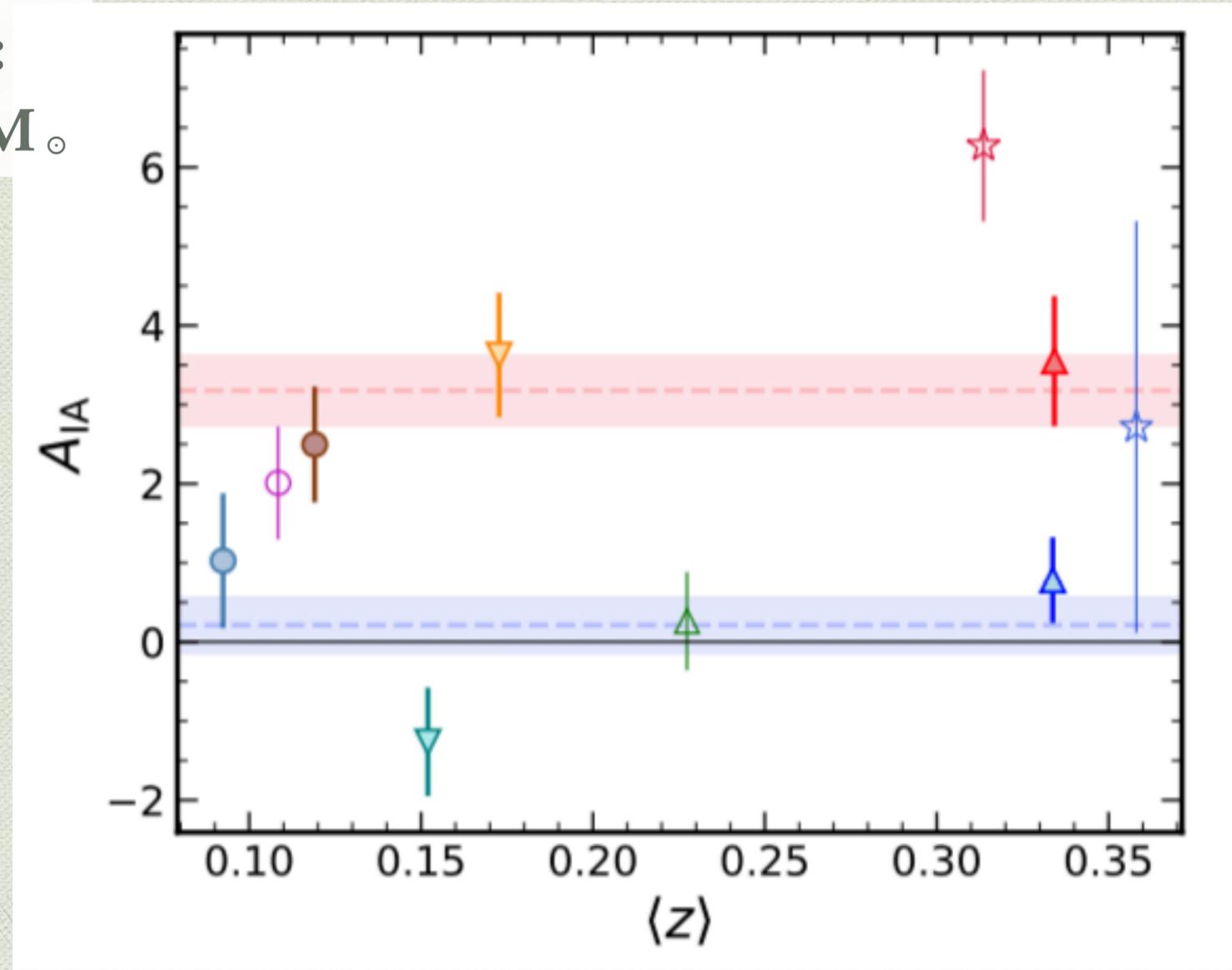
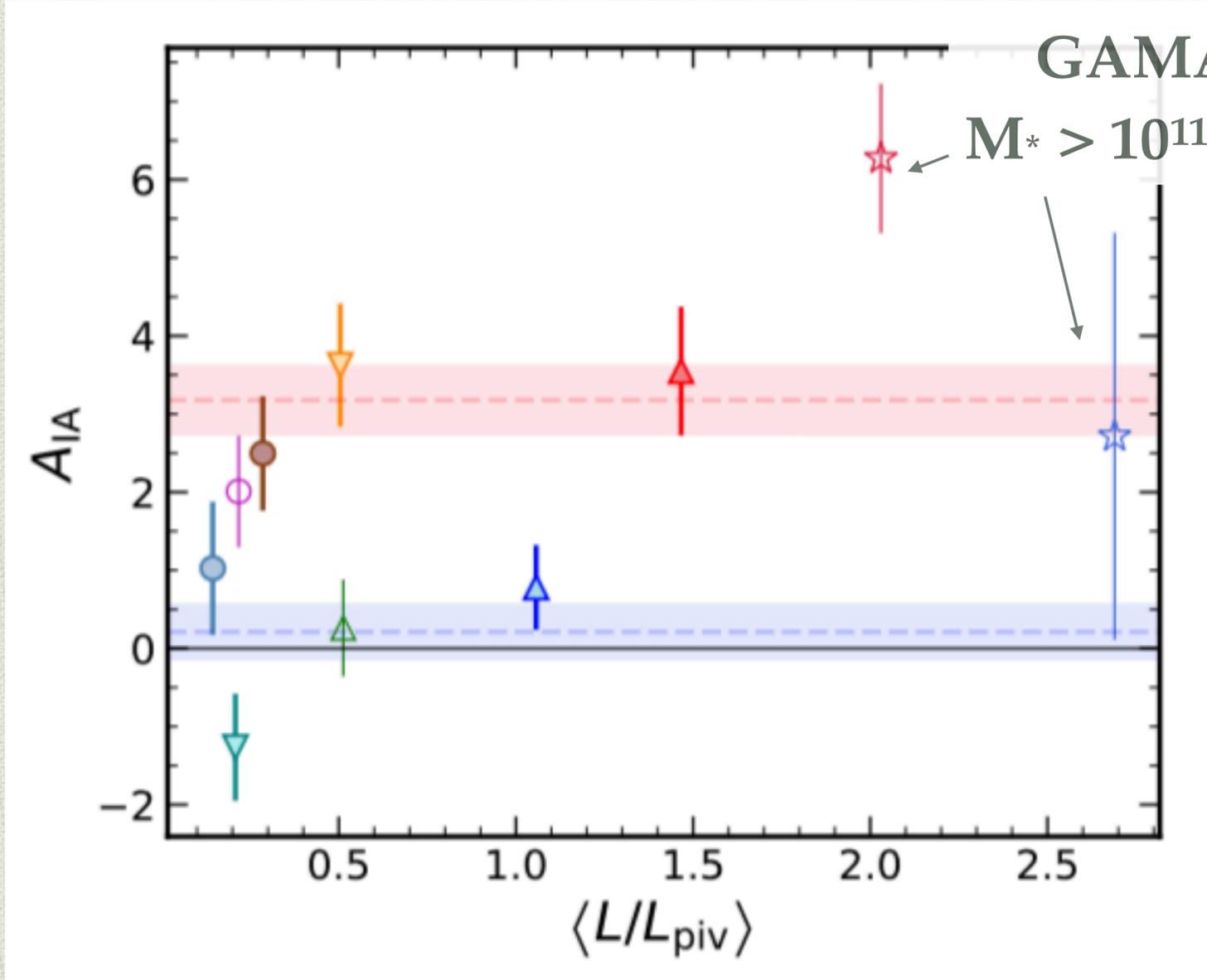
If red vs. blue dominates alignment profiles, why do the full-sample GAMA fits disagree?

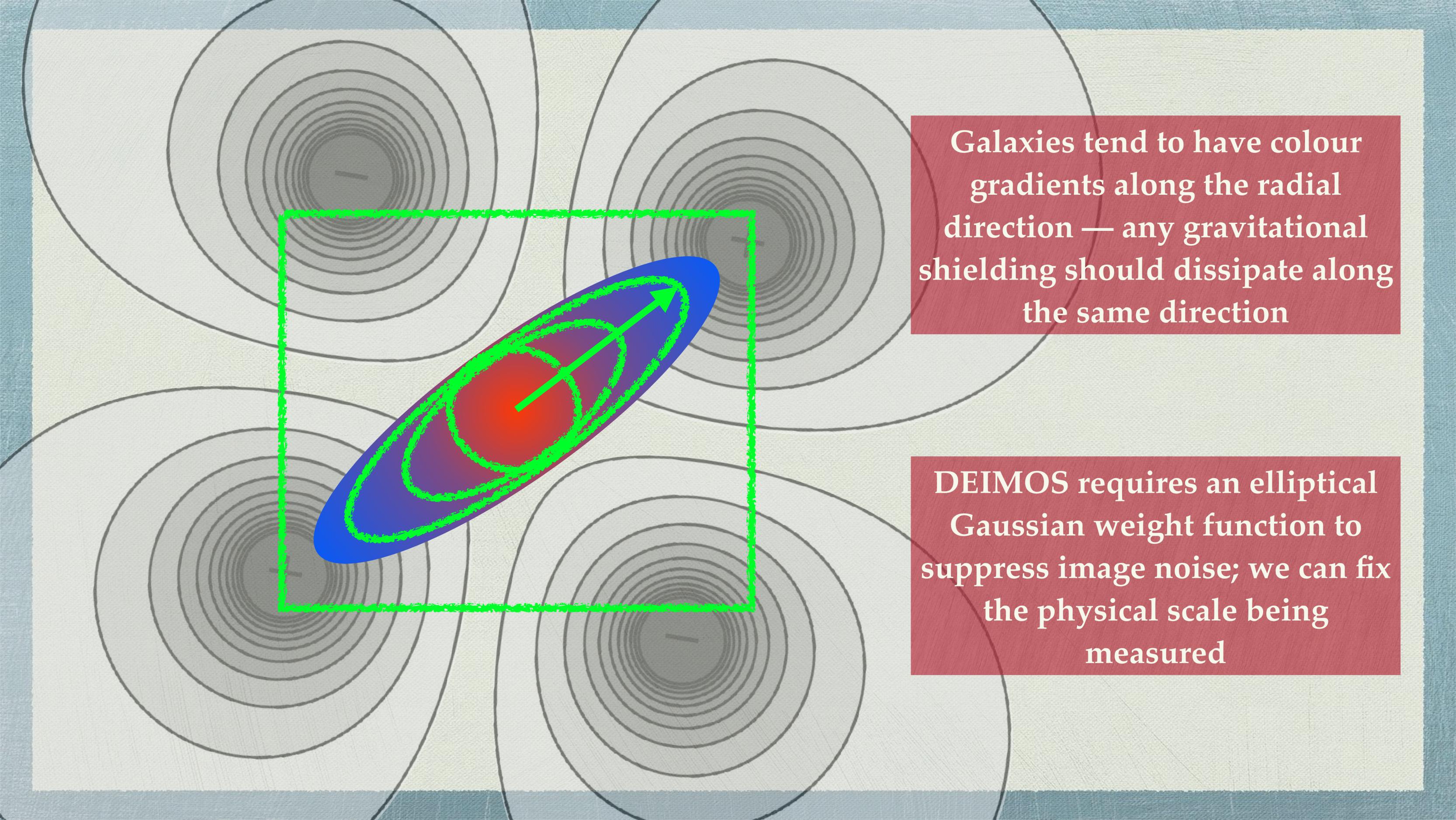
▲ full GAMA  
○ full SDSS

**high-z GAMA:**  
▲ blue  
▲ red

**low-z GAMA:**  
▼ blue  
▼ red

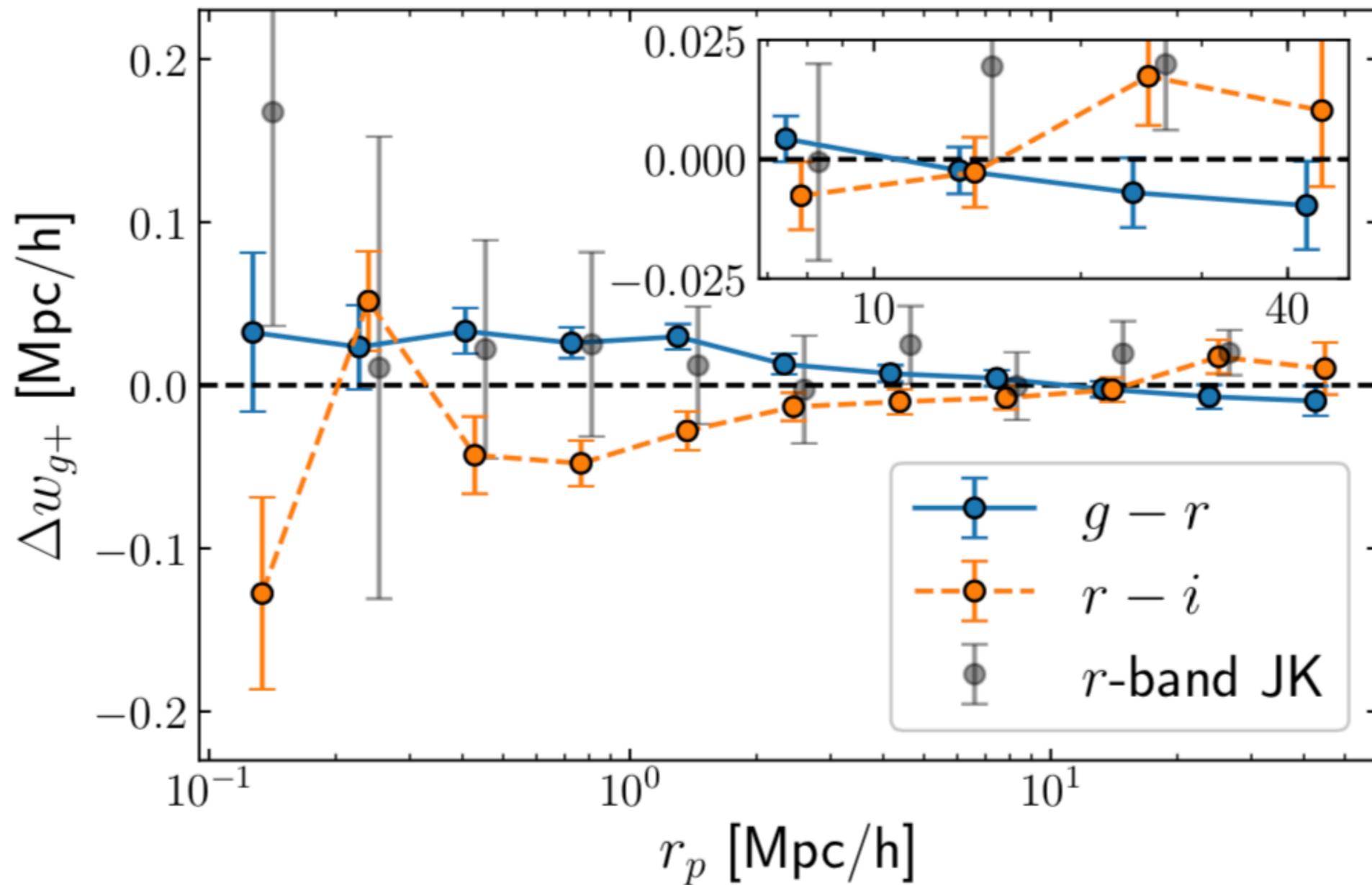
**SDSS Main:**  
○ blue  
○ red



The diagram shows a central galaxy with a color gradient from red at the center to blue at the edges. It is surrounded by four other galaxies, each represented by concentric gray circles. A green rectangular box is drawn around the central galaxy, and a white arrow points from the center of the galaxy towards the top-right corner of the box.

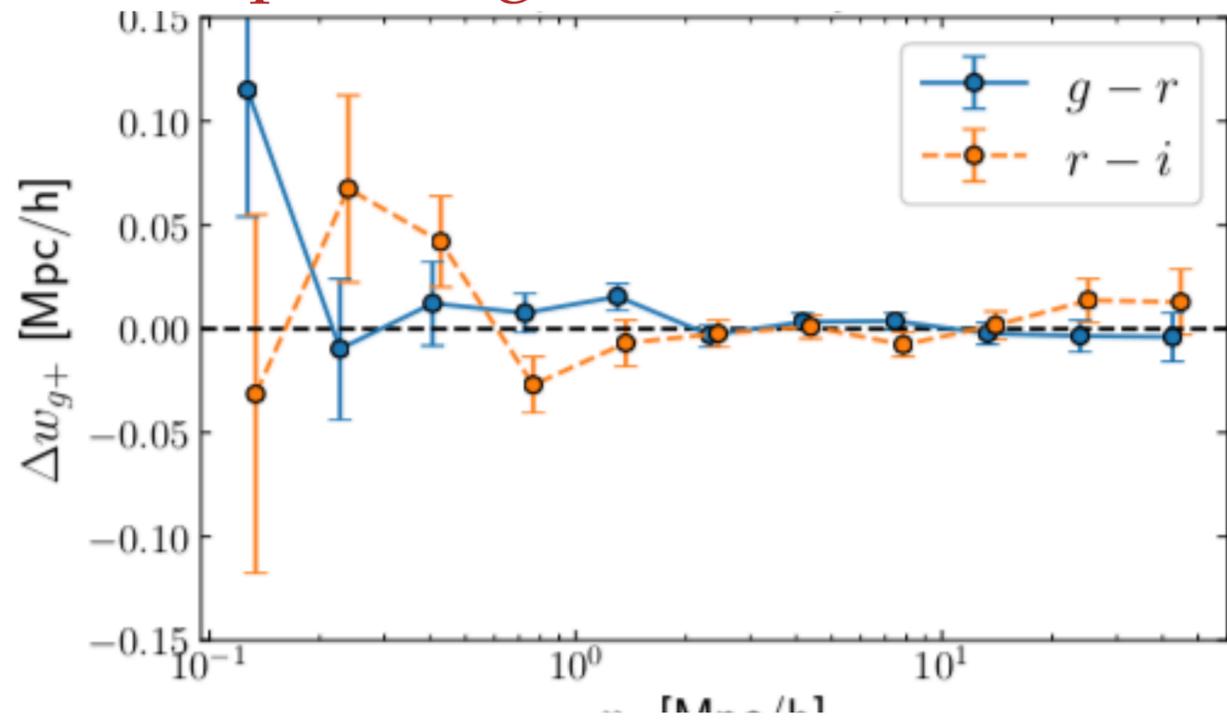
Galaxies tend to have colour gradients along the radial direction — any gravitational shielding should dissipate along the same direction

DEIMOS requires an elliptical Gaussian weight function to suppress image noise; we can fix the physical scale being measured

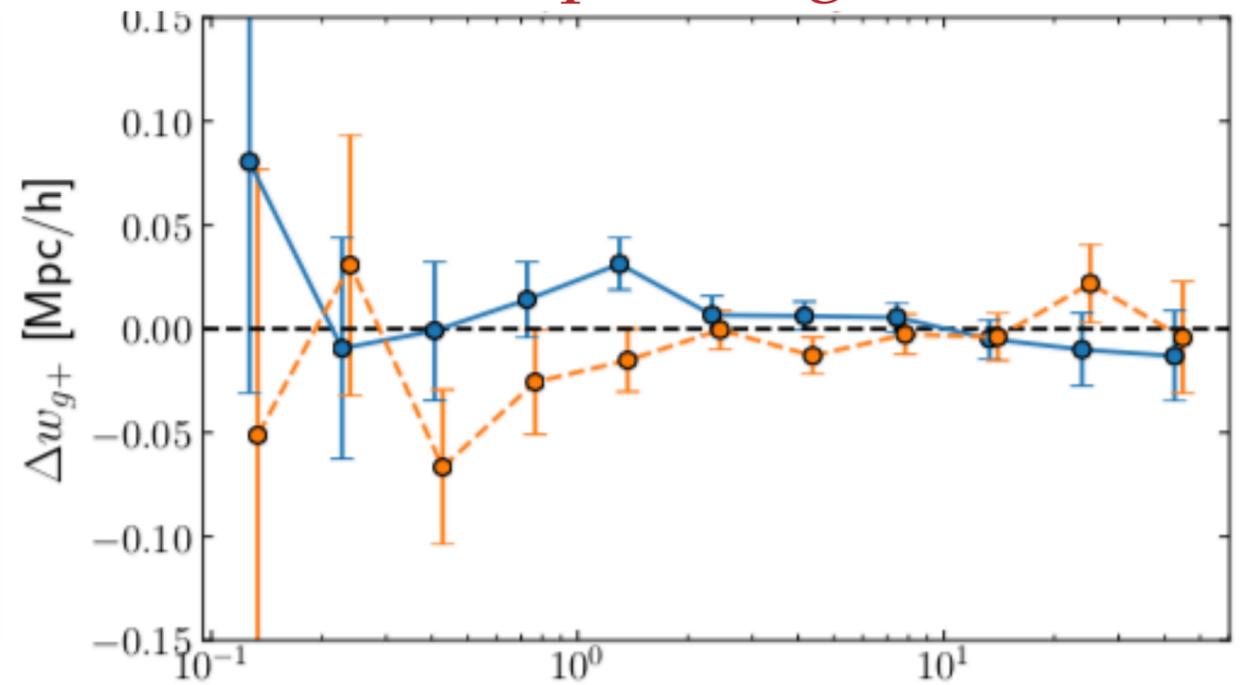


- Bluer  $g$ -band shapes *more* aligned than  $r$ -band
- Difference comparable to total  $r$ -band signal
- Redder  $i$ -band shapes also more aligned than  $r$ -band??

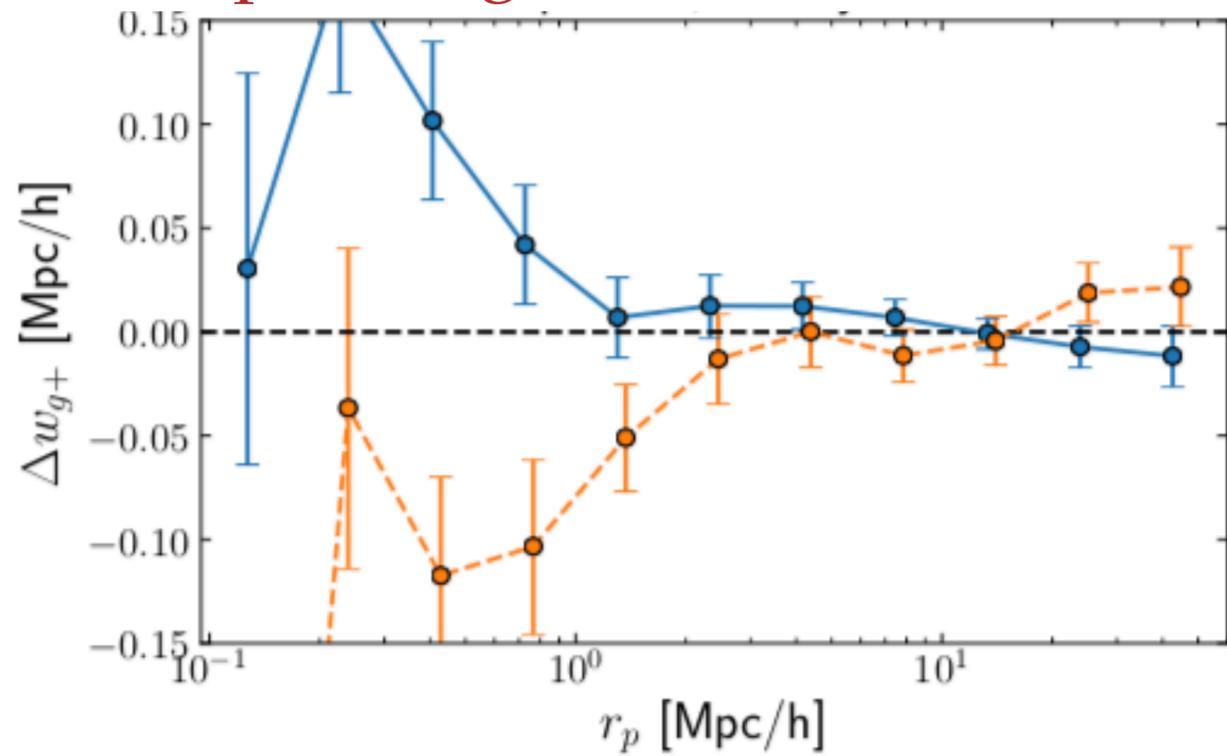
# CENTRALS pointing towards CENTRALS



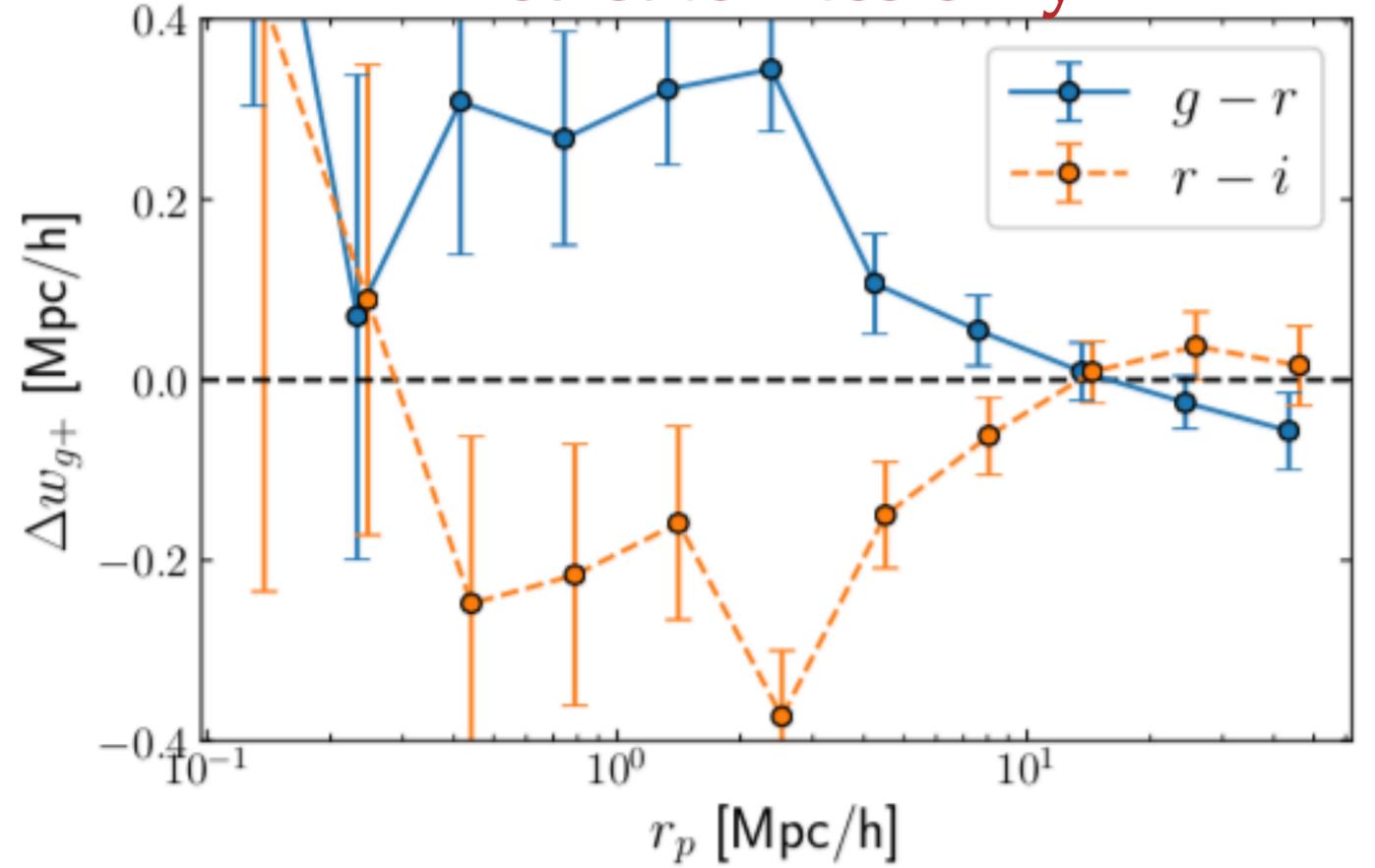
# SATELLITES pointing towards CENTRALS



# CENTRALS pointing towards SATELLITES



# Red satellites only



r-band

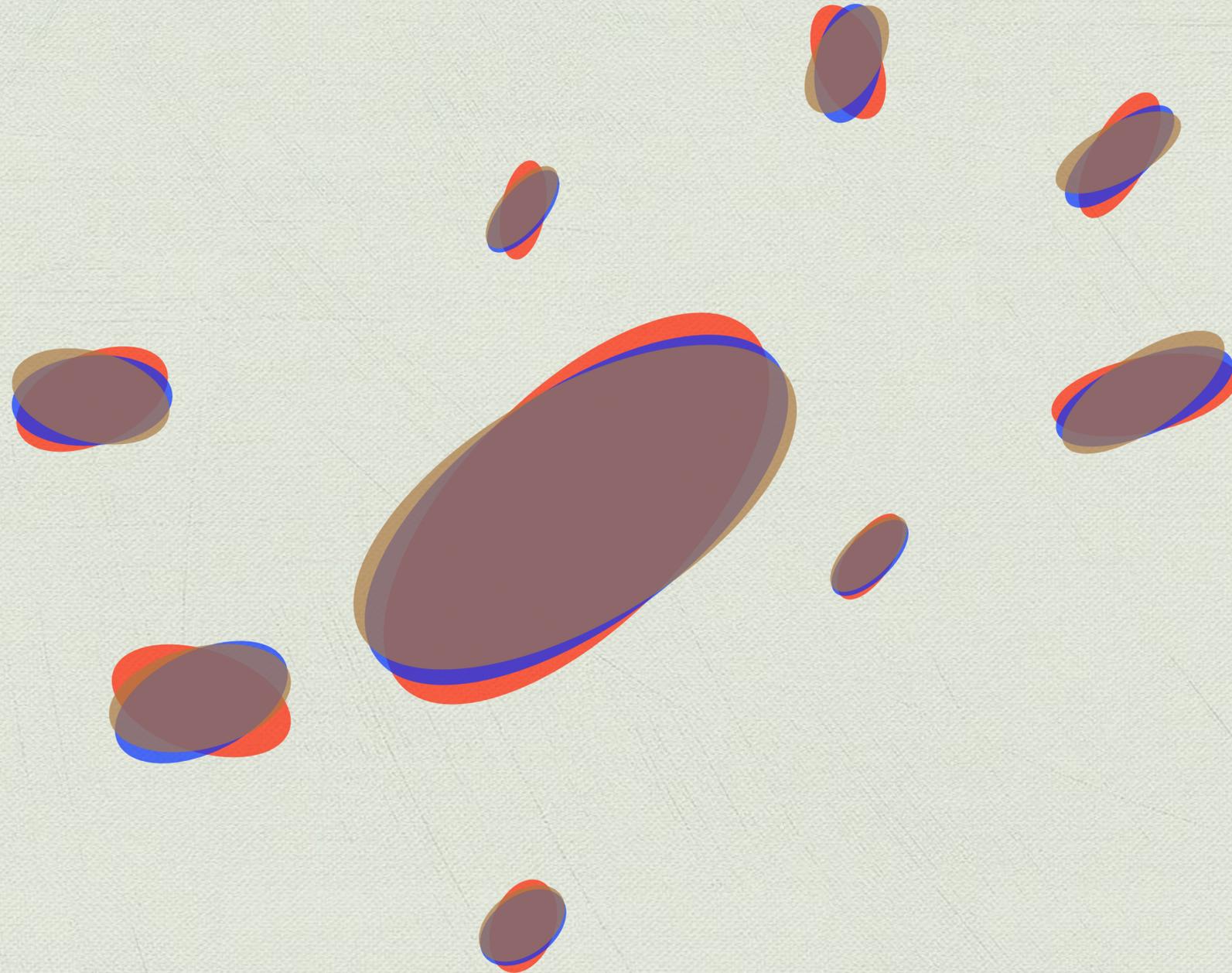
elliptical galaxies only!



old stars

g-band  
r-band  
i-band?

elliptical galaxies only!



star-forming  
old stars  
dust?